



# The CMB from A to Z: Promises and challenges of the CMB as cosmological probe

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## CMB instruments 1/3

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# Building a (CMB) instrument

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## Science goals

CMB polarisation primordial B-modes, lensing...



## Instrument system specifications:

Sensitivity, angular resolution, frequency bands



## Sub-systems requirements

Telescope diameter, cross polarisation, detector number, temperature, speed response, scanning strategy...

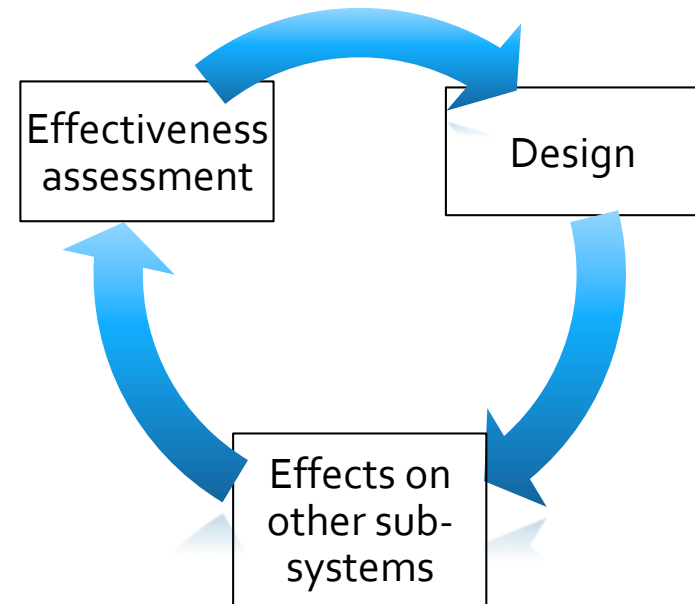


## Solutions

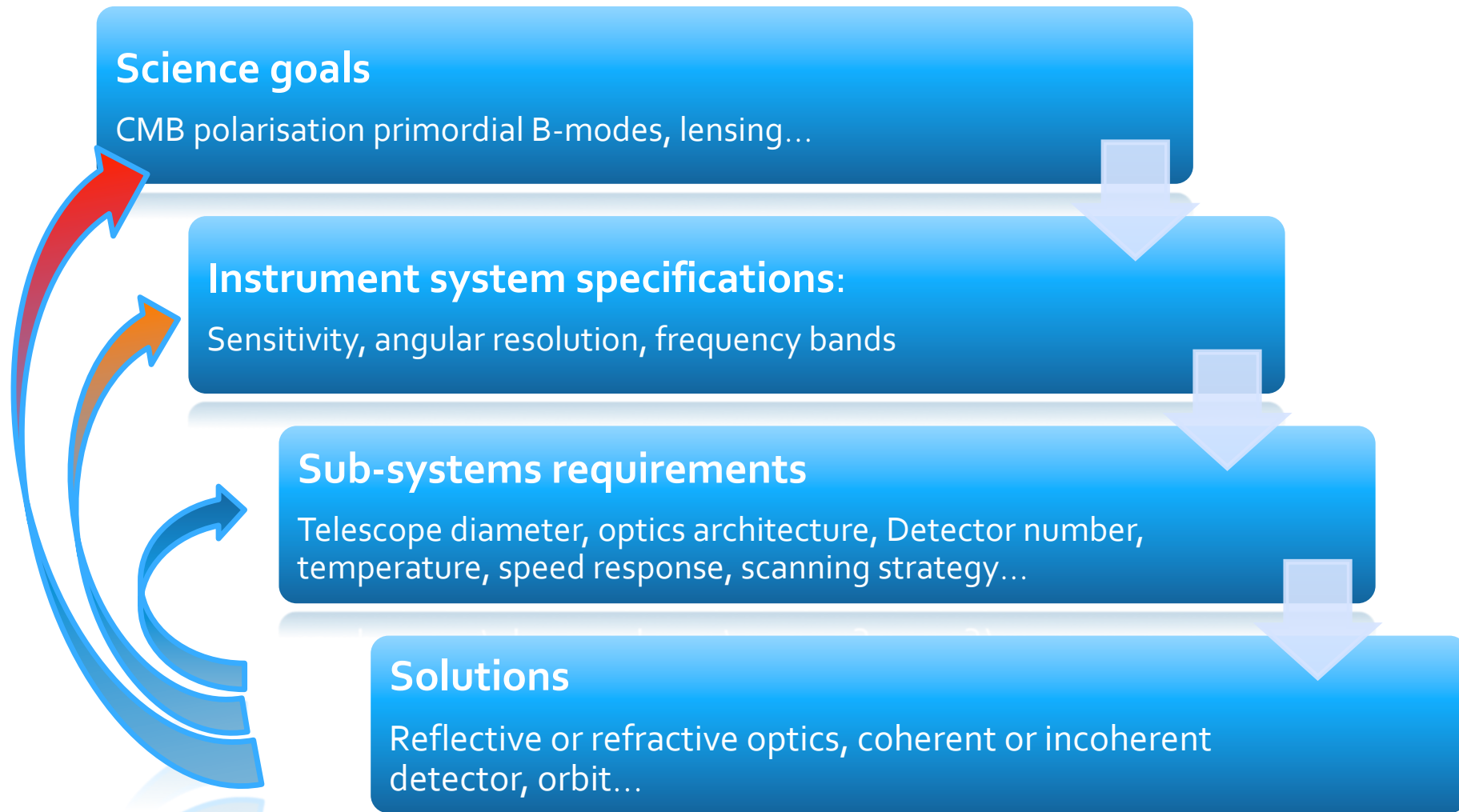
Reflective or refractive optics, coherent or incoherent detector, readout technique, orbit...

# Instrumental trade-offs

- Choice of the best global solution
  - Iterative process for each sub-system
- Effectiveness criteria:
  - Performances
    - ✓ Scientist: best performances
    - ✓ Engineer: meet the specifications
  - Technical aspects: mass, volume, power consumption, data rate
  - Other important criteria: cost, schedule, available resources (human, technical), risks



# Building a (CMB) instrument in the real life



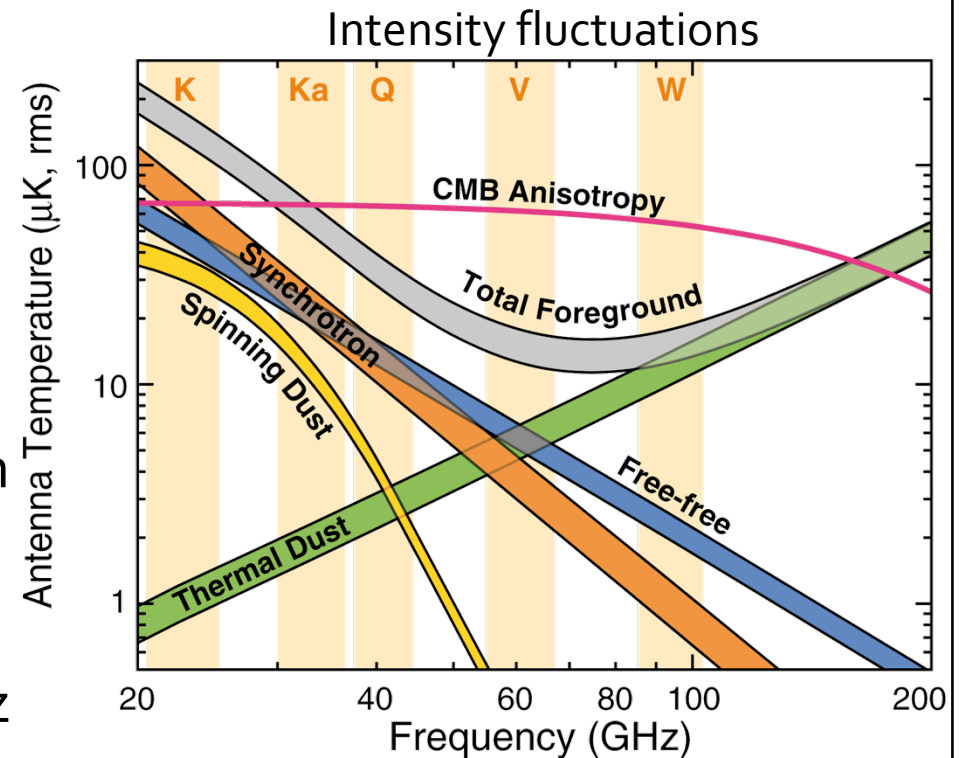
# Designing a CMB experiment

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1. CMB photons
2. CMB detectors
  - 2.1 Coherent detection techniques
  - 2.2 Incoherent detectors: TESs, KIDs
3. CMB instruments design

# 1. CMB photons

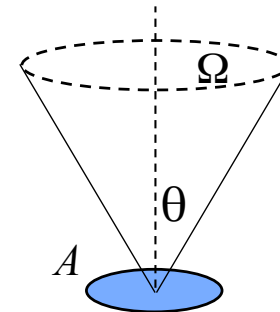
- $T_{\text{CMB}} = 2.725\text{K}$  (COBE)
  - Max emission at  $\nu \sim 150\text{GHz}$ ,  $\lambda \sim 2\text{mm}$
  - Photon energy: fraction of meV
  - Monopole dominant between  $\sim 500\text{MHz}$  to  $\sim 800\text{GHz}$
  - Anisotropies dominant between  $\sim 40\text{GHz}$  to  $\sim 200\text{GHz}$



- **No spectral features:** we need to build a **photometer**
  - Measure of CMB power in a large bandwidth  $\Delta\nu$ :  $\Delta\nu/\nu = 20\text{-}30\%$

# CMB photon flux

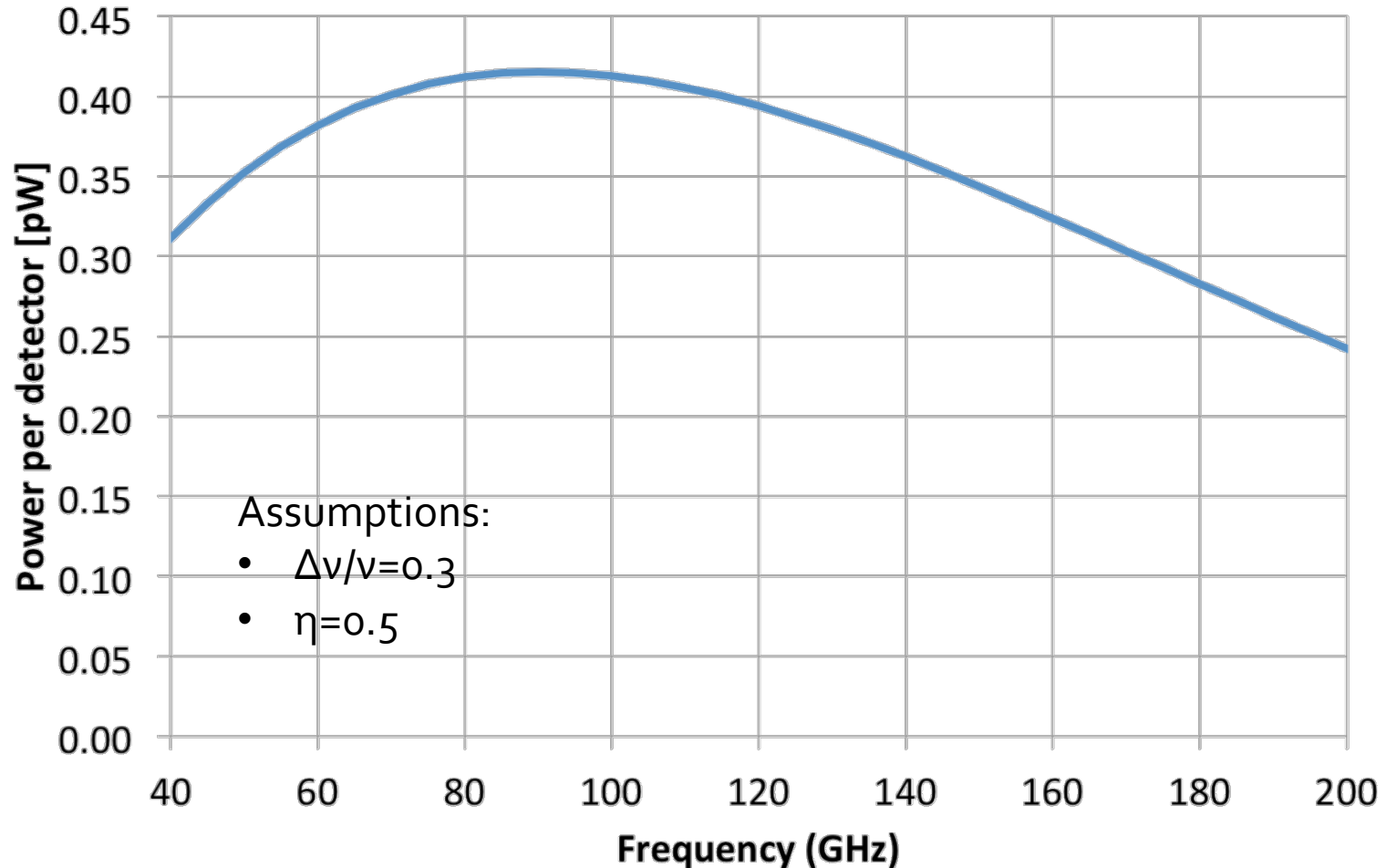
- Photon flux:  $P = \eta B_\nu(T_{CMB}) A \Omega \Delta\nu$ 
  - $B_\nu(T_{CMB})$ : Planck's law
    - ✓ in  $\text{W.m}^{-2}.\text{Hz}^{-1}.\text{sr}^{-1}$
  - $\eta$ : overall quantum efficiency
    - ✓ Losses from detector, filters, optics
  - $A\Omega$ : beam throughput (or étendue)
    - ✓ Constant in an optical system
- Diffraction limited detection:
  - Diffraction limit with a telescope of diameter  $D$ :  $\theta = 1.22\lambda/D$



$$\left. \begin{array}{l} A = \pi \frac{D^2}{4} \\ \Omega \approx \pi \frac{\theta^2}{4} \end{array} \right\} \Rightarrow A\Omega = \lambda^2$$

# CMB power on one detector

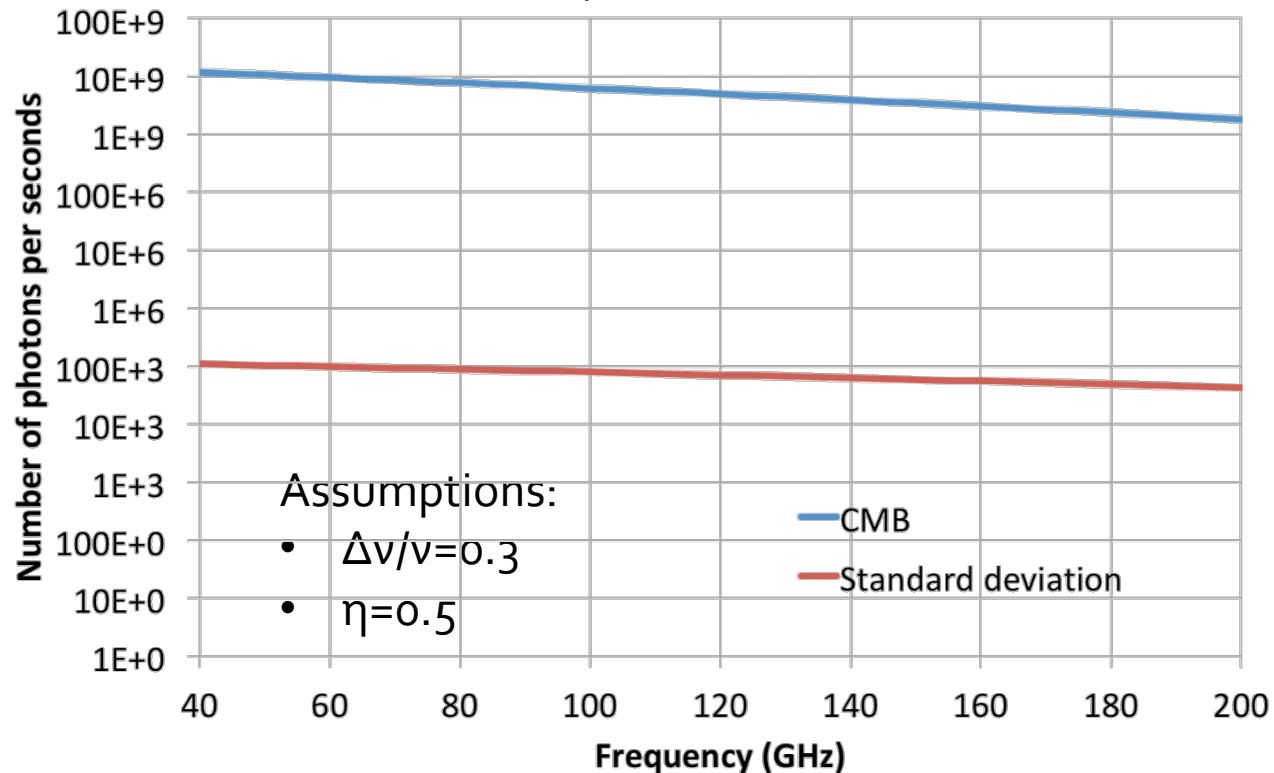
- In a diffraction limited detector:





# CMB photon noise

- Number of photons per seconds:  $N = P/(h\nu)$ 
  - Photon flux  $\approx$  Poisson flux
  - Standard deviation:  $\sigma = \sqrt{N}$



# CMB photon noise NEP

- Noise Equivalent Power (NEP):
  - **NEP = standard deviation of the photon noise, expressed in photon flux power  $P$ , for 1Hz of bandwidth (or 1/2 second of integration time)**

$$NEP = \sigma_P \left( t_{\text{int}} = 0.5s \right) \Leftrightarrow \sigma_P = \frac{NEP}{\sqrt{2 \times t_{\text{int}}}}$$

- NEP unit: [W.Hz<sup>-0.5</sup>]
- Could also be applied to other noise sources (detector, readout...)

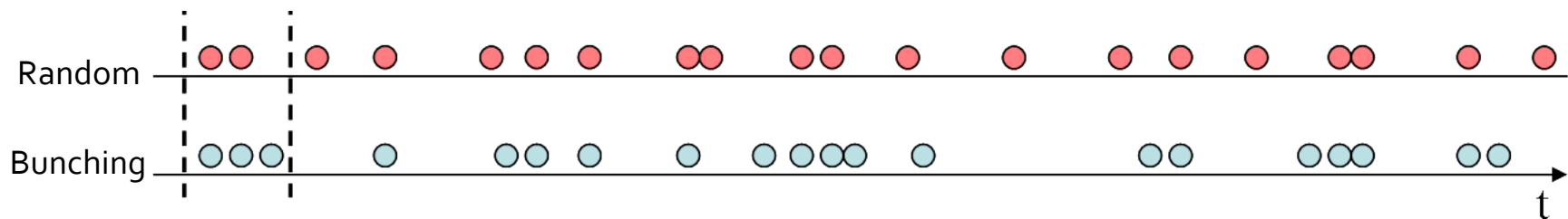
# CMB photon noise NEP

- Noise Equivalent Power (NEP):
  - NEP = standard deviation of the photon noise, expressed in photon flux power  $P$ , for 1Hz of bandwidth (or 1/2 second of integration time)

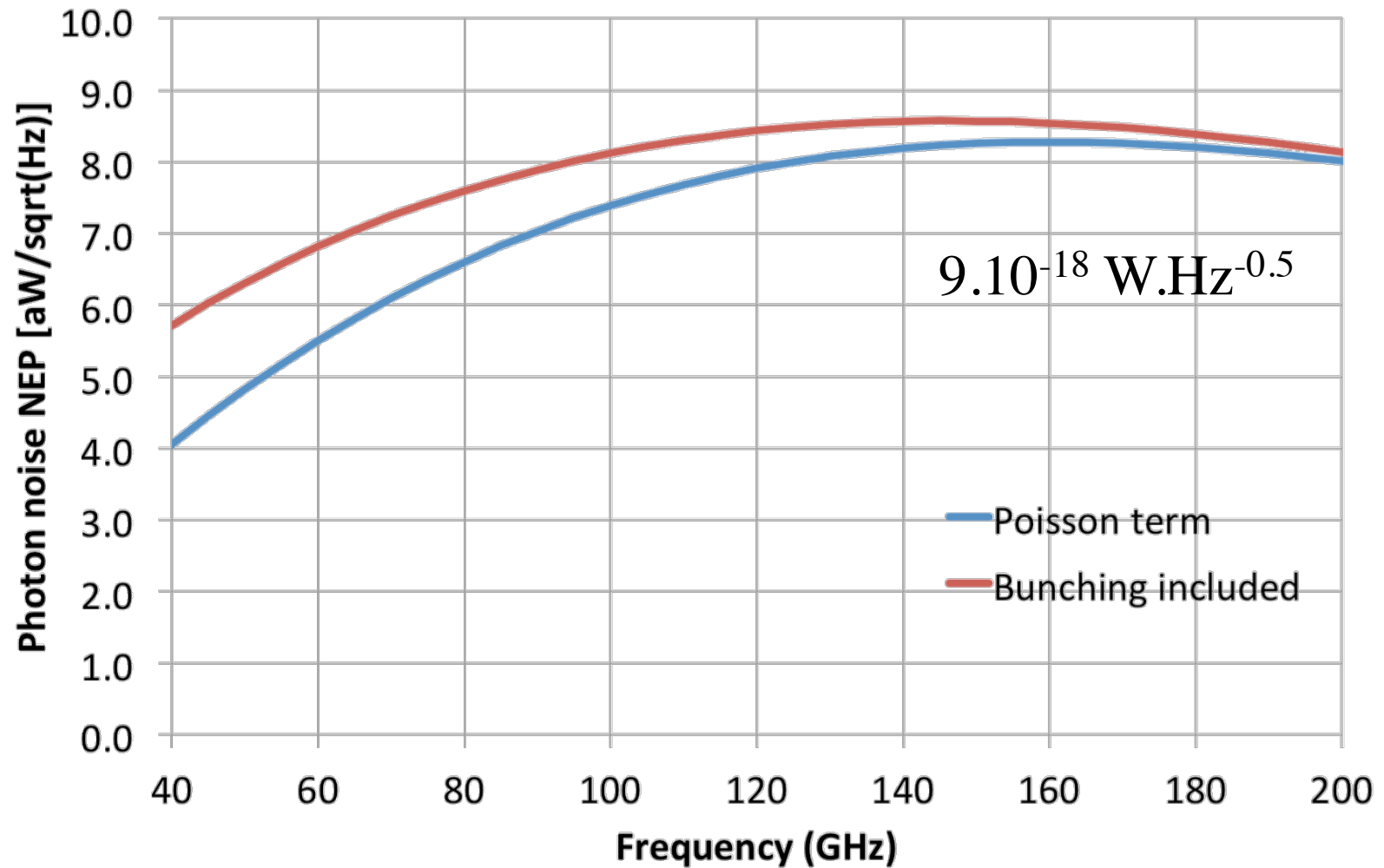
$$NEP_{h\nu}^2 = 2h\nu P + \frac{2P^2}{m\Delta\nu}$$

Poisson term
Bunching term  
Bose-Einstein statistics

(m = 1 if polarised detector, 2 otherwise)

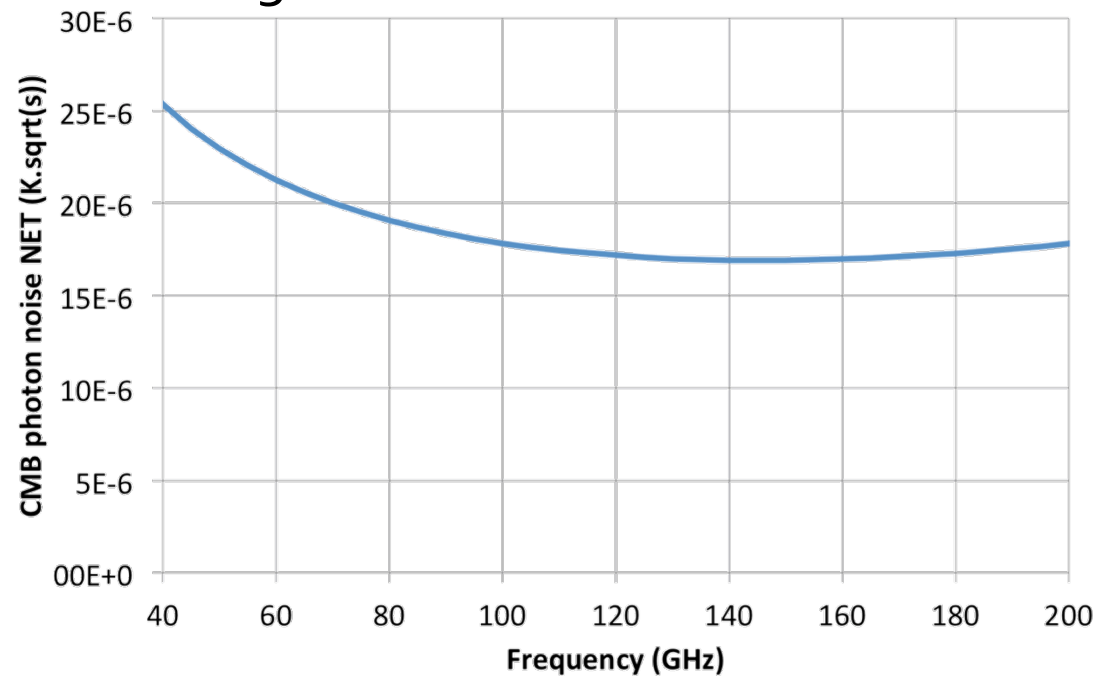


# CMB photon noise NEP



# CMB photon noise NET

- Noise Equivalent Temperature (NET)
  - Noise expressed as a CMB temperature fluctuations in 1 second of integration time:



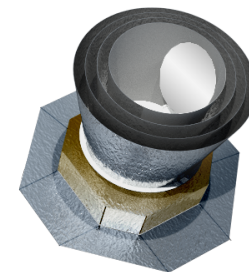
$$20\mu\text{K}\cdot\text{s}^{0.5}$$

- For  $N_{\text{det}}$  detectors, scale as  $\sqrt{N_{\text{det}}}$

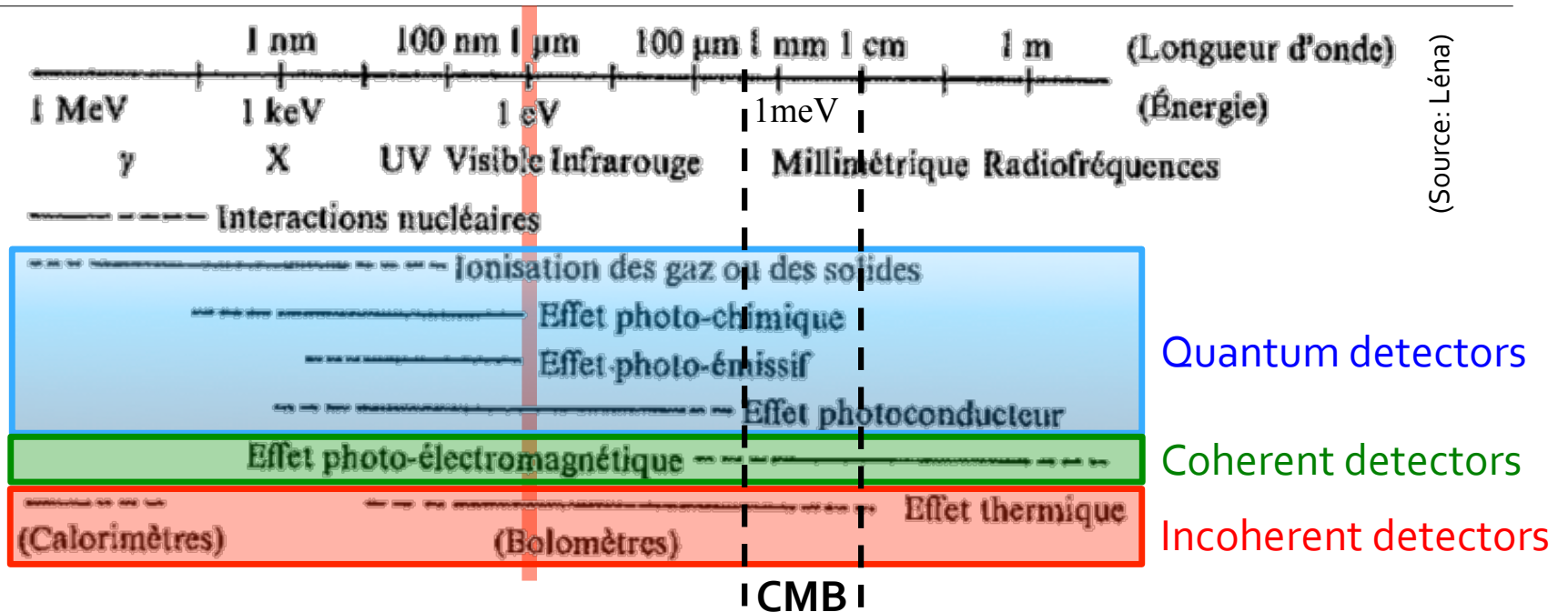
# CMB instruments

Assuming perfect detectors, limited by the CMB photon noise:

	T anisotropies	B-modes
Required sensitivity	$6\mu\text{K}$	90nK
Angular resolution	5 arcmin	15 arcmin
Integration time per angular resolution for a 1 year mission	5s	50s
Required NET	$13\mu\text{K}\cdot\text{sqrt}(s)$	$0.6\mu\text{K}\cdot\text{sqrt}(s)$
Number of detection chain needed	$\sim 4$	$\sim 1100$
Missions	Planck	COrE like



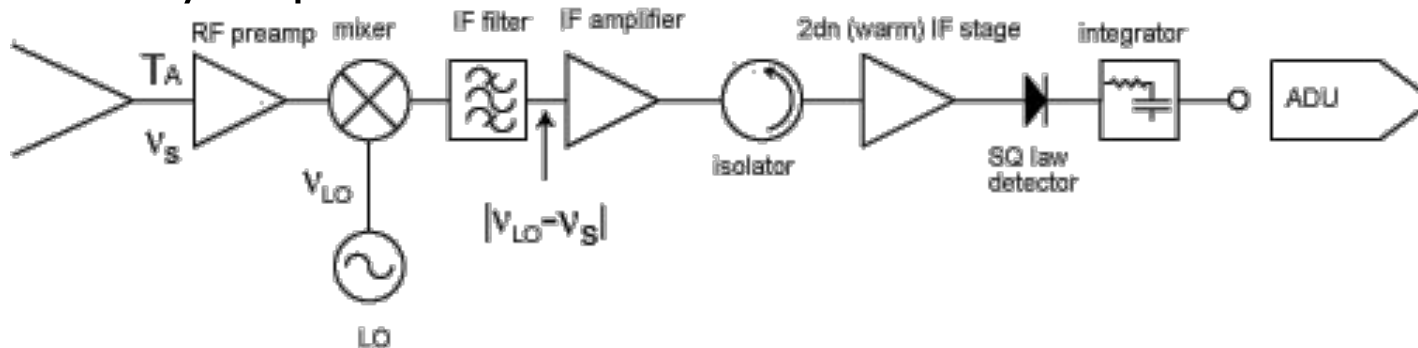
## 2. CMB detectors?



- Coherent detectors: sensitive to EM field (amplitude and phase)
  - Intrinsically limited in sensitivity
- Incoherent detectors: sensitive to the average EM power  $P \propto \langle |E|^2 \rangle$ 
  - **Bolometers, Kinetic Inductance Detectors**

# 2.1 Coherent detection techniques

- Heterodyne power detection:

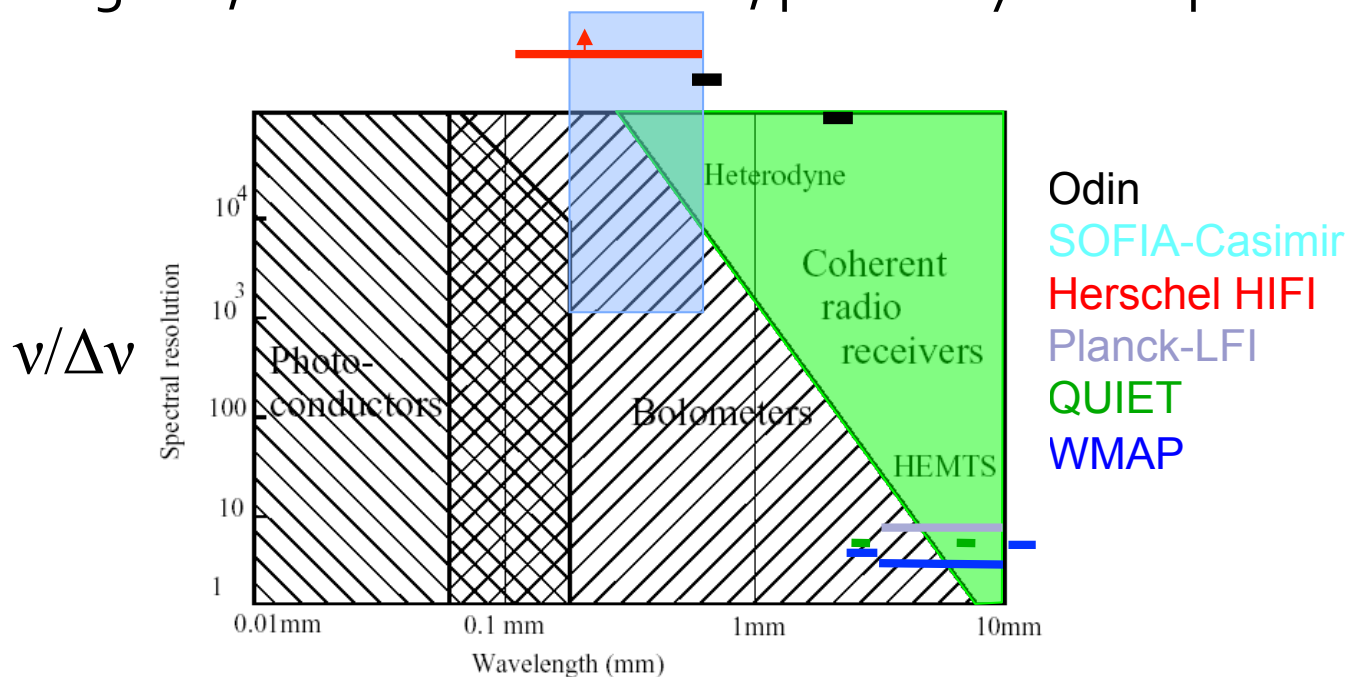


- Use of very high frequency electronics
  - ✓ Antenna
  - ✓ High Electron Mobility Transistors (HEMTs) amplifier cooled down to 4K
  - ✓ Non-linear elements for mixing (Schottky diode, SIS mixers, HEB)
  - ✓ Diode used as square law detector
- Conservation of phase information



# Heterodyne detection technique

- Widely used for spectroscopy in the mm and sub-mm:
  - Spectral lines of atomic and molecular gas: star forming regions, interstellar medium, planetary atmospheres



# Coherent receiver: signal and noise

- Signal measured in RJ limit:  $P = kT_a \Delta\nu$ 
  - $T_a$ : antenna temperature
  - Include source, atmosphere, ground signals...
- Noise temperature:  $P_{noise} = kT_{noise} \Delta\nu$ 
  - Include amplifier noise, mixer losses, detector noise...
- Power measured:  $P_{tot} = P + P_{noise}$
- System temperature:  $T_{sys} = T_a + T_{noise}$
- Smallest detectable signal:
  - Integration time  $\tau$

$$\Delta T \approx \frac{T_{sys}}{\sqrt{\tau \Delta\nu}}$$

Dicke equation  
(1946)

# The quantum tax

- Minimum noise temperature given by quantum limit:

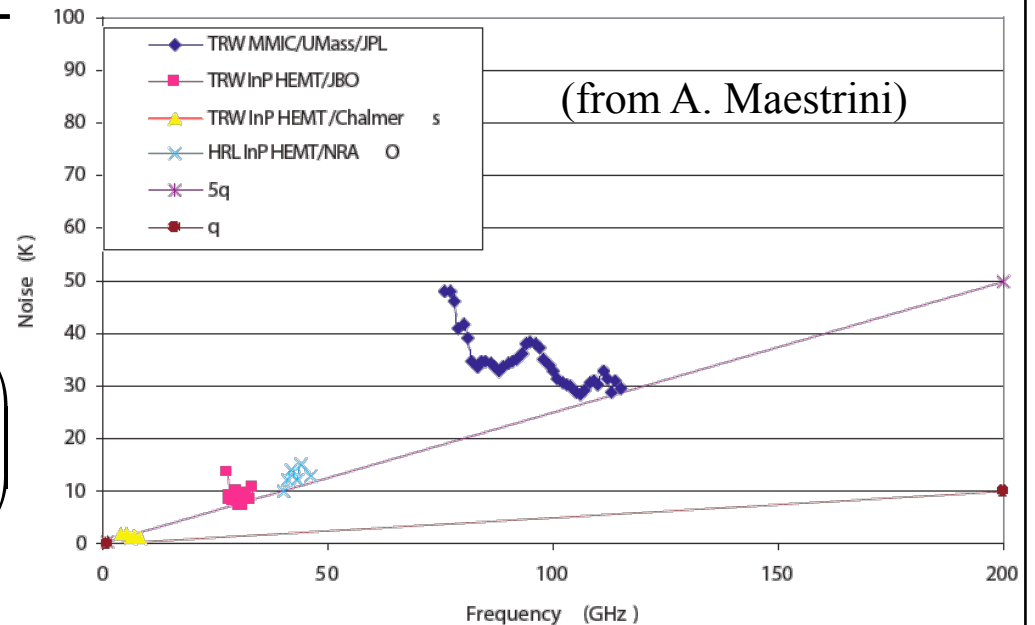
$$T_{noise} \geq \frac{h\nu}{k} = 5K \times \left( \frac{\nu}{100GHz} \right)$$

- Best performances :  $\sim 5 \times QL$

➤ InP HEMT amplifier cooled to  $\sim 20K$

- Equivalent NEP:

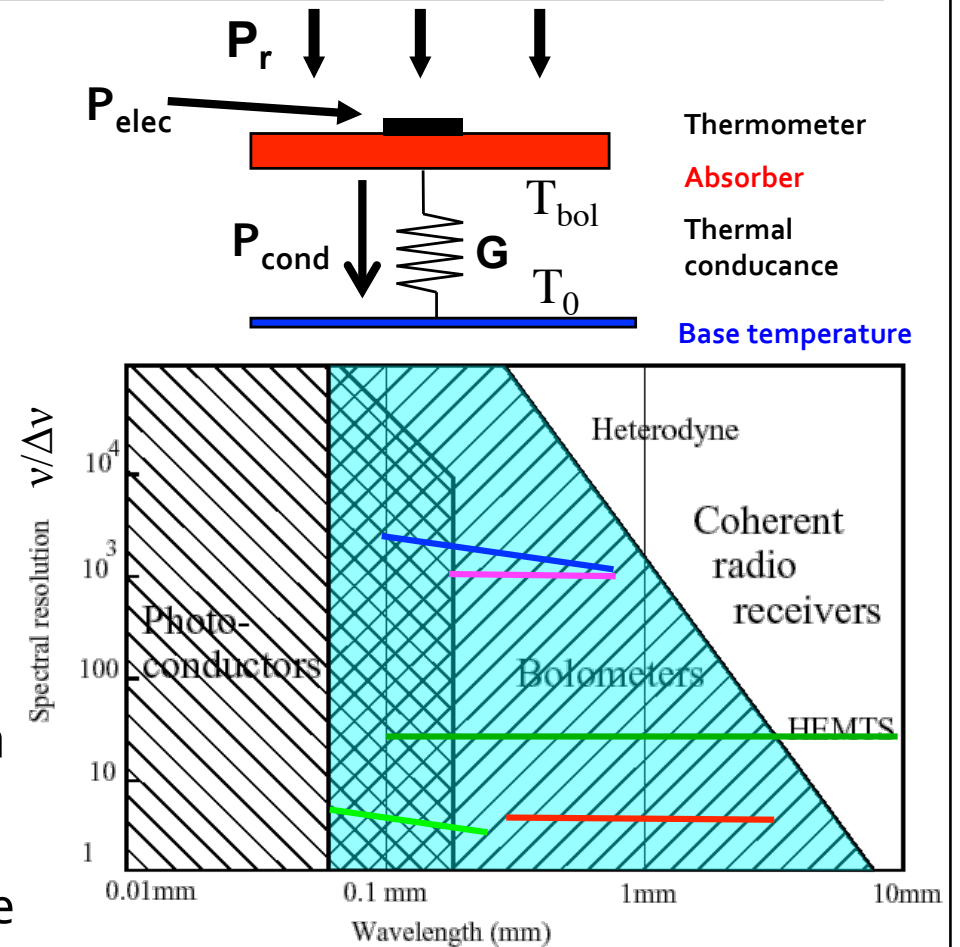
$$NEP \geq 1.7 \cdot 10^{-17} \text{ W.Hz}^{-0.5} \times \left( \frac{T_{noise}}{5K} \right) \times \left( \sqrt{\frac{\Delta\nu}{30GHz}} \right)$$



**Intrinsic limitation in terms of sensitivity**

# 2.2 Incoherent detection techniques: Bolometers

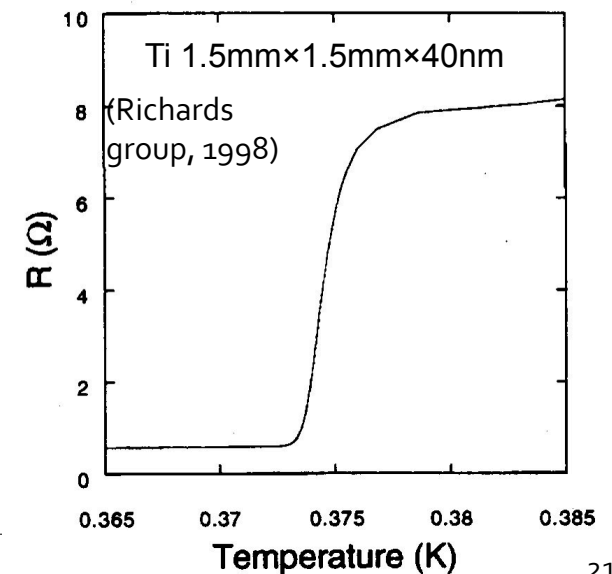
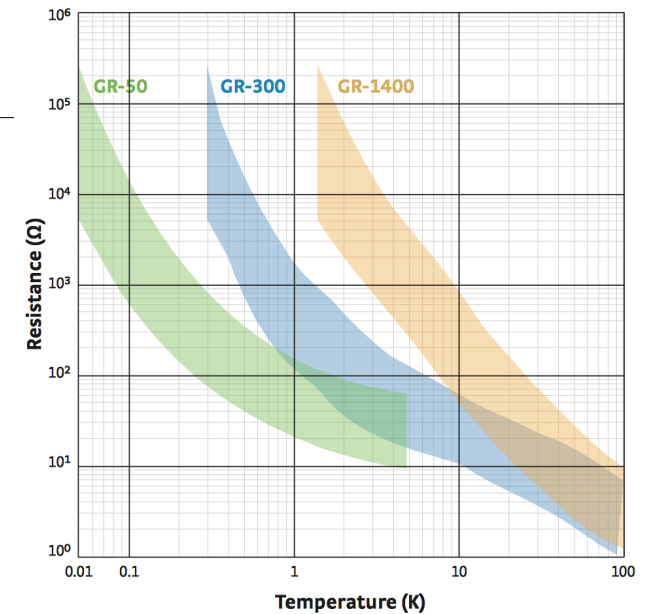
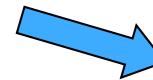
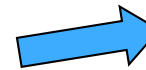
- Thermal detector
  - Measure of the heating from the absorption of radiation
  - Macroscopic system
  - Thermometer = resistor  $R(T)$
  - Readout:  $R=U/I$
- The best detectors for large bandwidth detection in the wavelength range  $100\mu\text{m} \rightarrow 3\text{mm}$ 
  - Cooled to low  $T < 300\text{mK}$
  - Sensitivity limited by photon noise



From top to bottom: SAFIRE Herschel-SPIRE  
COBE-FIRAS Herschel-PACS Planck-HFI

# Thermometer

- Parameter:  $\alpha = \frac{T}{R} \frac{dR}{dT}$
- **Semi-conductor**:  $\alpha \# -5 \rightarrow -10$ 
  - Implanted Si
  - Ge NTD (Haller-Beeman)
  - NbSi thin film (CSNSM Orsay)
- **Superconductor**:  $\alpha \# 100 \rightarrow 1000$   
**(Transition Edge Sensor TES)**
  - Ti:  $T_c \approx 400\text{mK}$
  - Mo/Cu, Mo/Au...:  $T_c$  tuning by proximity effect
  - NbSi thin film (CSNSM):  $T_c$  depends on composition Nb (>12%) vs Si



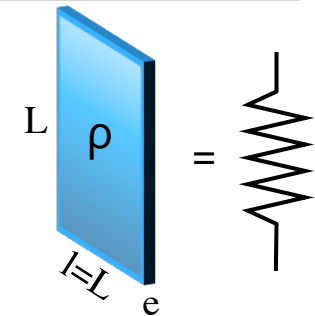
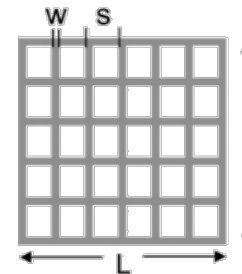
# Absorber

- **Absorber = metal film**

- Square resistance of a uniform film:  $R_c = \rho/e$

- Metal grid:  $R_c = \rho/e \times s/w$

- ✓ Equivalent to a uniform film if  $\lambda \gg s$  and  $w$

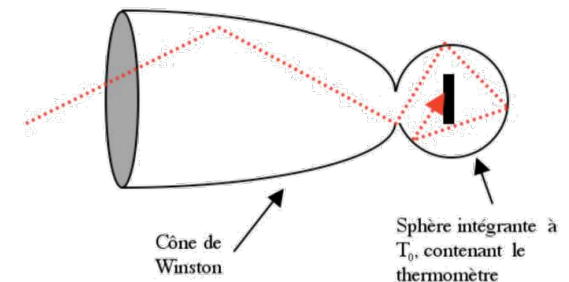


- **In vacuum:**

- Max absorption = 50% for  $R_c = Z_0/2$

- ✓ Integrating sphere to increase absorption

- Max absorption = 100% for  $R_c = Z_0$  with a reflective layer at  $d = \lambda/4$  (modulo  $\lambda/2$ )



Vacuum impedance:  
 $Z_0 = \sqrt{\mu_0/\epsilon_0} = 377\Omega$

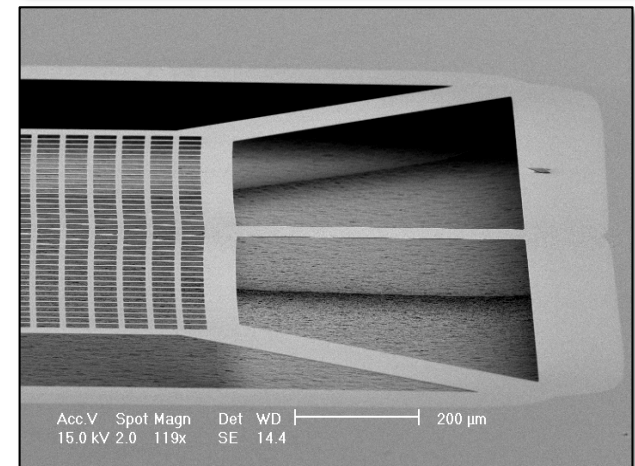
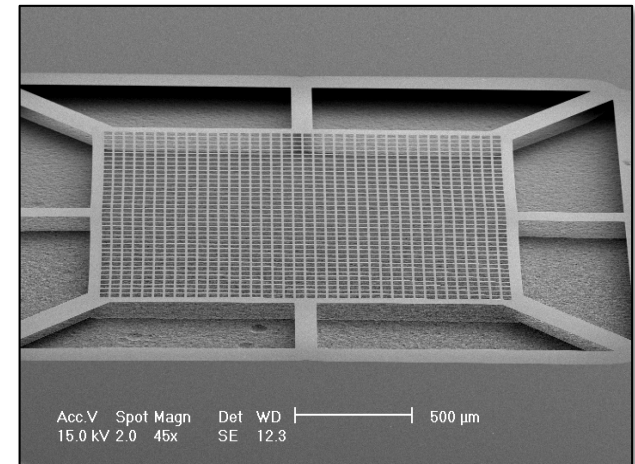
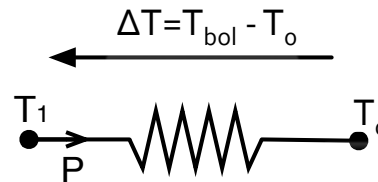
# Thermal conductance

- Micro-technologies
  - Membranes in silicon nitride (SiN) or in silicon (Si)
- Thermal conduction in Si or SiN
  - Diffusive phonons transport
  - At very low temperature: diffusion on edges
    - ✓ Mean free path > sample size
    - ✓ Radiative transport

- Classical modelisation :  
(diffusive)

$$P = K(T_{bol}^{\beta+1} - T_0^{\beta+1})$$

$$G_d = \left( \frac{dP}{dT_{bol}} \right)_{T_0=cst} = (\beta + 1)KT_{bol}^{\beta}$$

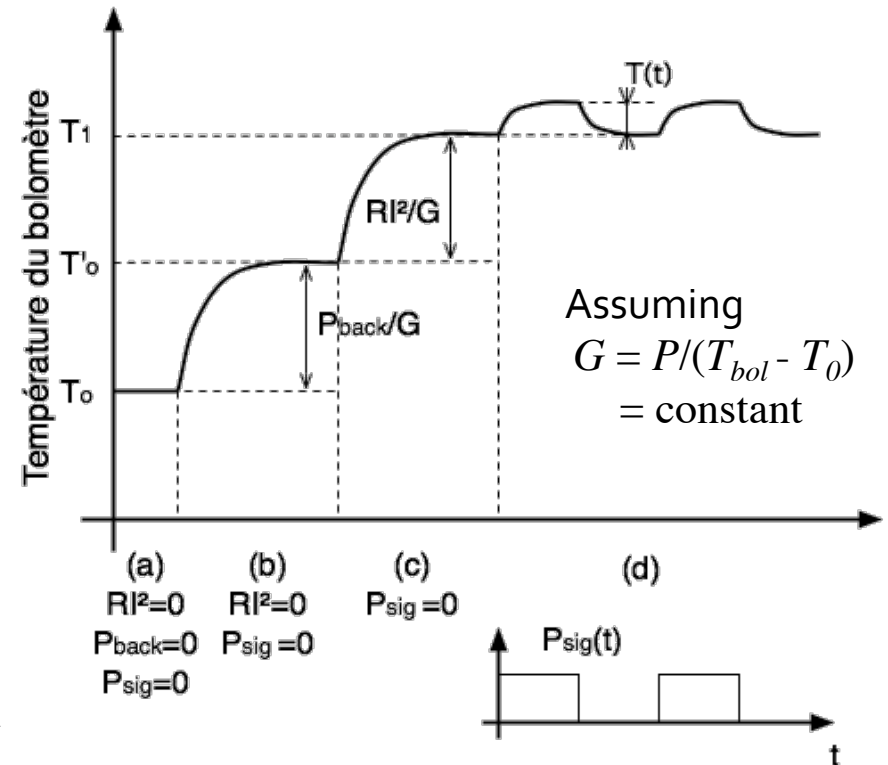


SiN membranes 3x3 mm, 500 nm thickness (IEF Orsay)

# A bolometer in operation

- $P_r = P_{back} + P_{sig}(t)$   
with  $P_{sig}/P_{back} \ll 1$ 
  - $P_{back}$ : average power, background power
    - ✓ Thermal emission of all components in front of detectors
  - $P_{sig}$ : radiative power to be measured

- $T_{bol} = T_1 + T(t)$  with  $T/T_1 \ll 1$ 
  - $T_1$ : bolometer temperature with no signal
  - $T$ : bolometer small temperature fluctuations due to  $P_{sig}$

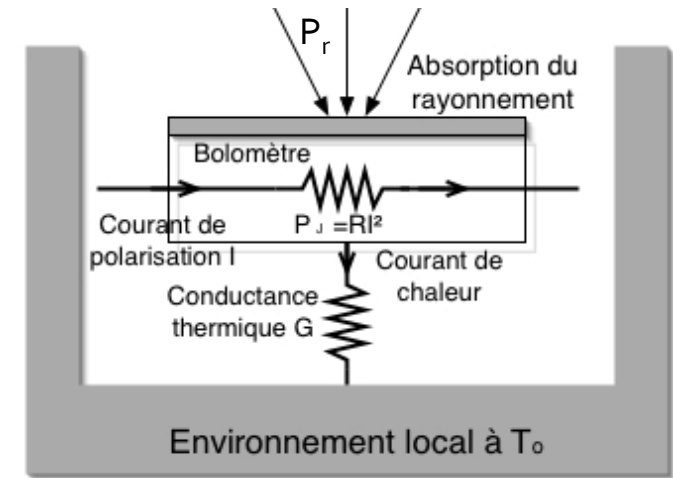




# Bolometer response in harmonic regime

- In temperature:

$$\left\{ \begin{array}{l} \frac{\tilde{T}}{\tilde{P}_{sig}} = \frac{1}{G_{eff} (1 + j\omega\tau_{eff})} \\ \tau_{eff} = \frac{C}{G_{eff}} \end{array} \right.$$



$C$ : bolometer heat capacity [J/K]  
 $G_{eff}$ : bolometer effective thermal conductance [W/K]

- ➔ 1. Trade-off between time constant and response
2. Low  $C$  require  $\Rightarrow$  low temperatures

# Electro Thermal Feedback (ETF)

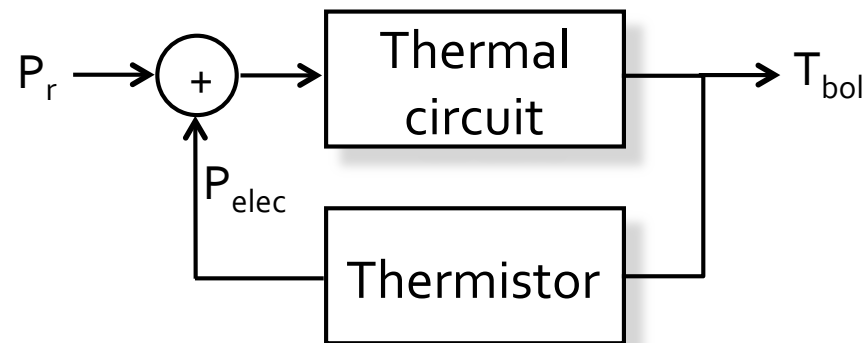
- Case  $\alpha < 0$ : semi-conducting bolometer

➤ Current biasing:  $T \uparrow \Rightarrow R \downarrow \Rightarrow P_{elec} = RI_{bias}^2 \downarrow \Rightarrow T \downarrow$

- Case  $\alpha > 0$ : superconducting bolometer

➤ Voltage biasing:  $T \uparrow \Rightarrow R \uparrow \Rightarrow P_{elec} = V_{bias}^2/R \downarrow \Rightarrow T \downarrow$

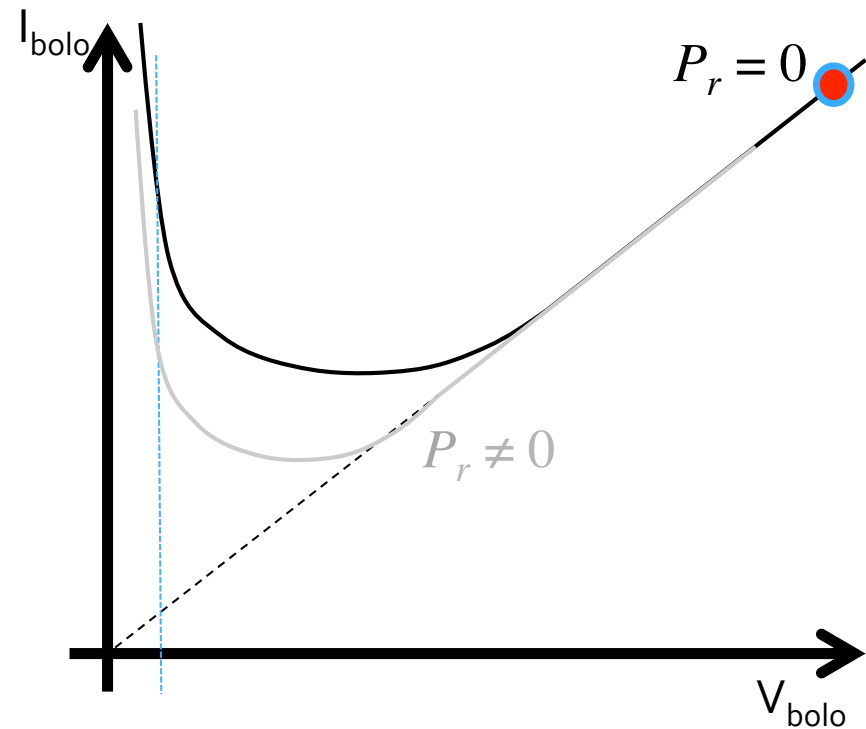
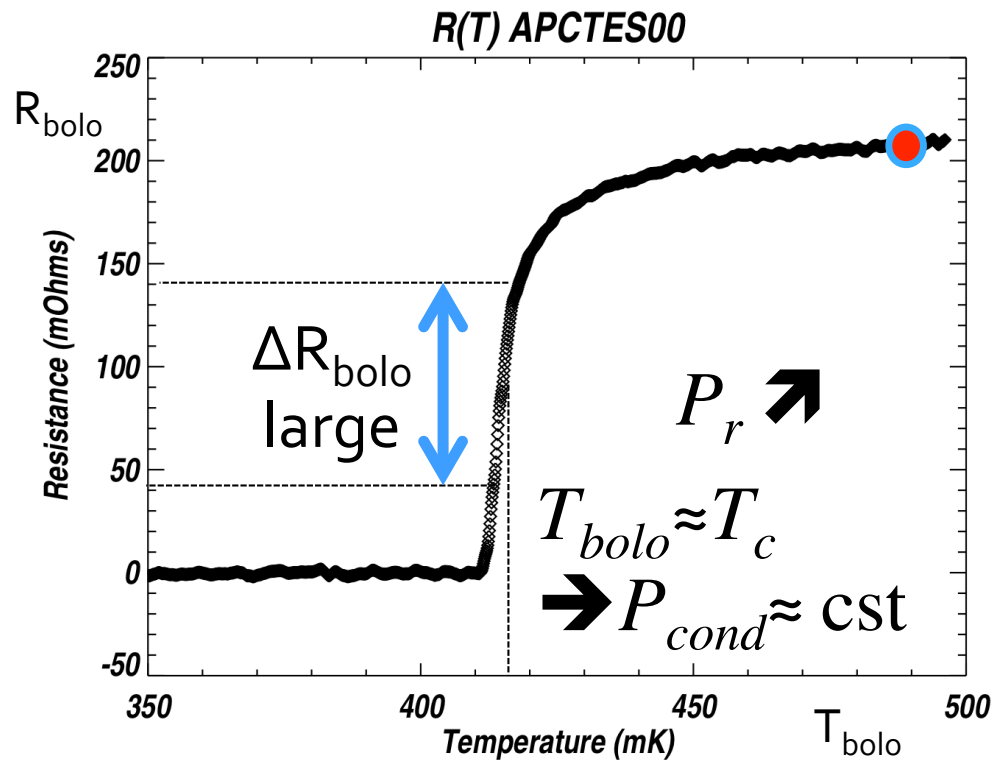
- Feedback system:



- Interesting effect if  $|\alpha|$  is large: **superconducting bolometers**

# ETF in TES

- In quasi-static:  $P_r + P_{elec} = P_{cond}$



Fluctuations in  $P_r$  compensated by  $P_{elec}$

# ETF effect on TES

- Feedback system:

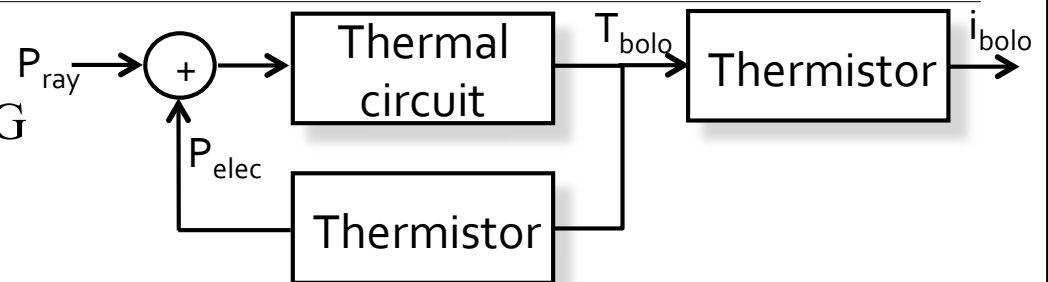
- 1<sup>st</sup> order thermal circuit:  $\tau=C/G$

- Bolometer response:

$$S_I(\omega) = -\frac{1}{V} \cdot \frac{L}{1+L} \cdot \frac{1}{1+i \cdot \omega \tau_{eff}}$$

- Time constant:  $\tau_{eff} = \frac{\tau}{1+L}$

- Open loop gain:  $L = \frac{|\alpha| \cdot P_{elec}}{T_1 G_d}$  with  $\alpha = \frac{T}{R} \frac{dR}{dT}$



- If  $L \gg 1$ : (strong ETF)

- $\tau_{eff} \ll \tau$

- Static response:  $\mathfrak{R} = 1/V$

- Natural biasing inside the transition

- Linearisation

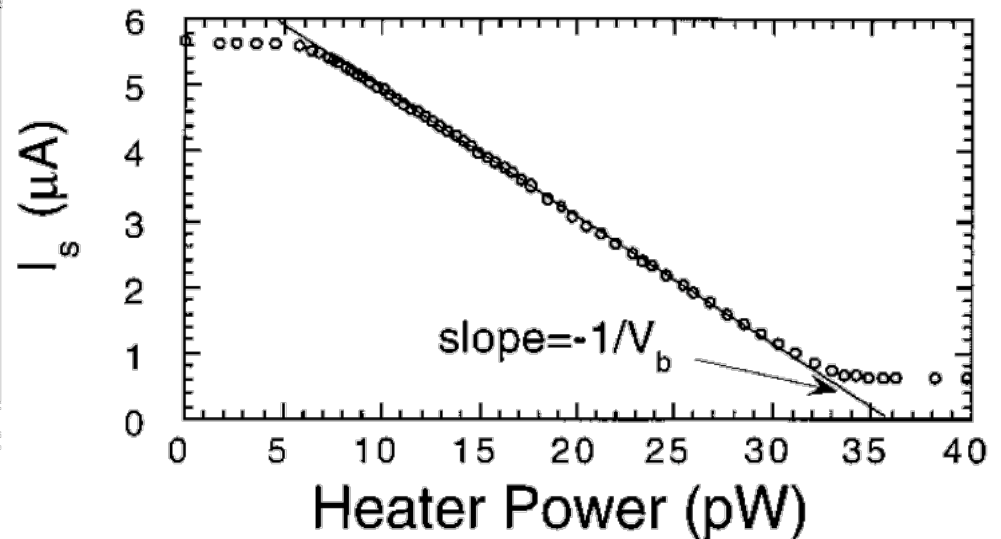
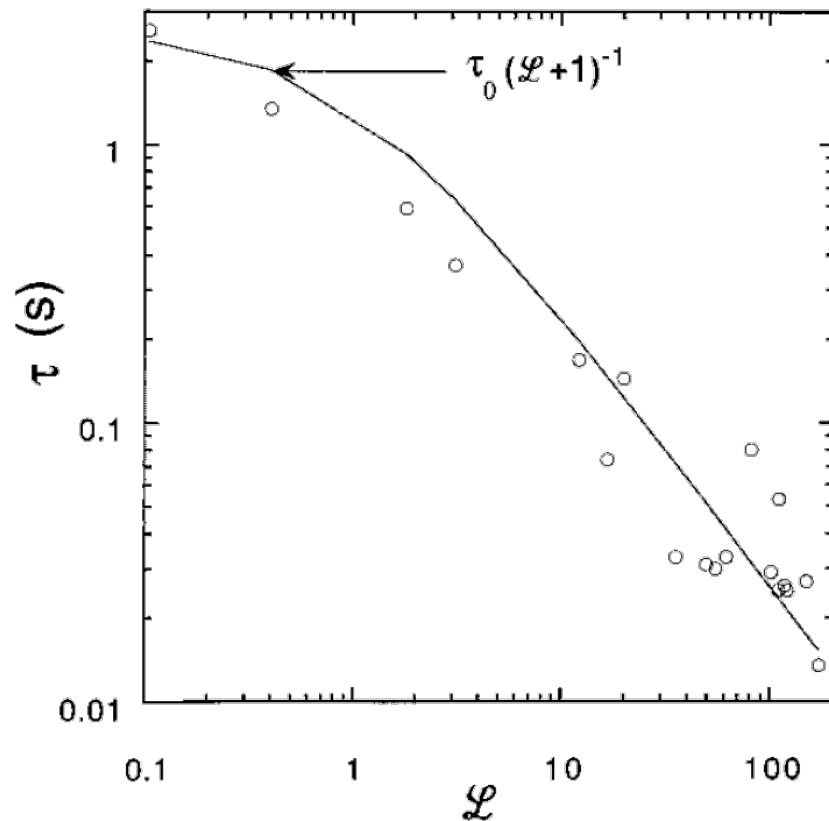
**Superconducting bolometers**

**$\alpha=100-1000$**

**$L=10-100$**

# Strong ETF in TESs

- A. Lee, P. Richards et al. 1998



# TES intrinsic noise sources

- Johnson noise:

- Electrical resistor  $R$  at temperature  $T$

$$PSD_I = \frac{4kT}{R} \left[ A^2 \cdot Hz^{-1} \right]$$

Low temperatures require

$$NEP_J^2 = \frac{PSD_I}{\mathfrak{R}^2} \left[ W^2 \cdot Hz^{-1} \right]$$

Responsivity [A/W]

- Phonon noise:

- Conductance  $G_d$  at uniform temperature  $T$

$$NEP_{Ph}^2 = 4kT^2 G_d \left[ W^2 \cdot Hz^{-1} \right]$$

- Bolometer: not at thermal equilibrium

- ✓ Overestimation of  $NEP_{ph}$  by about 30% [Mather]

- Bolometer total intrinsic noise:

$$NEP_{bol}^2 = NEP_J^2 + NEP_{Ph}^2$$

# TES optimisation

- Requirements:

- No saturation:  $P_{cond} = [3 - 6] \times P_{back}$

- Strong ETF:  $L = \frac{|\alpha| \cdot P_{elec}}{T_1 G_d} \gg 1$  (Reminder:  $P_{elec} = P_{cond} - P_{back}$ )
  - ✓ Phonon noise dominant

- Reasonable bolometer temperature:  $T_1 - T_0 = [0.3 - 1] \times T_0$

- In this case:

- With reasonable assumptions:  $G_d = \frac{dP_{cond}}{dT} \approx [3 - 20] \frac{P_{back}}{T_0}$

- NEP:

$$NEP_{bol}^2 \approx [3 - 20] \times 4kT_0 P_{back}$$

# Bolometer limited by photon noise (BLIP)

- NEP of photon noise:

➤ With a radiative input power  $P_{back}$  in  $\nu \pm \Delta\nu/2$ :

$$NEP_{h\nu}^2 \approx 2h\nu P_{back}$$

- Background limited performances (BLIP):

$$NEP_{bol}^2 \leq NEP_{h\nu}^2$$

➤ With an optimised bolometer:

$$T_0 \leq 350mK \times \frac{1mm}{\lambda}$$

**Very low T needed**



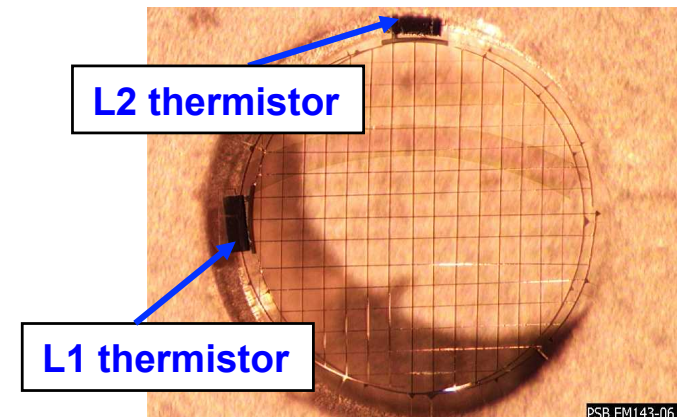
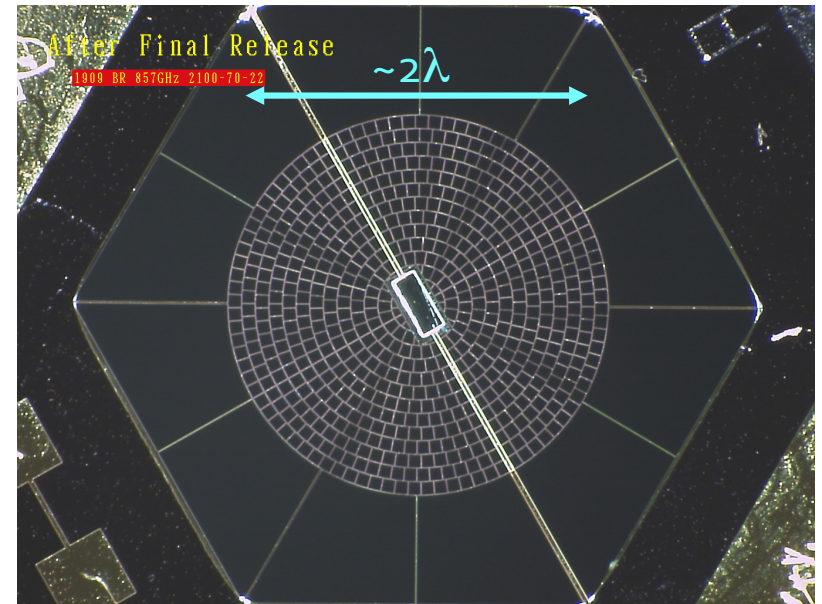
# Planck bolometers

## Spider web bolometers (Caltech-JPL)

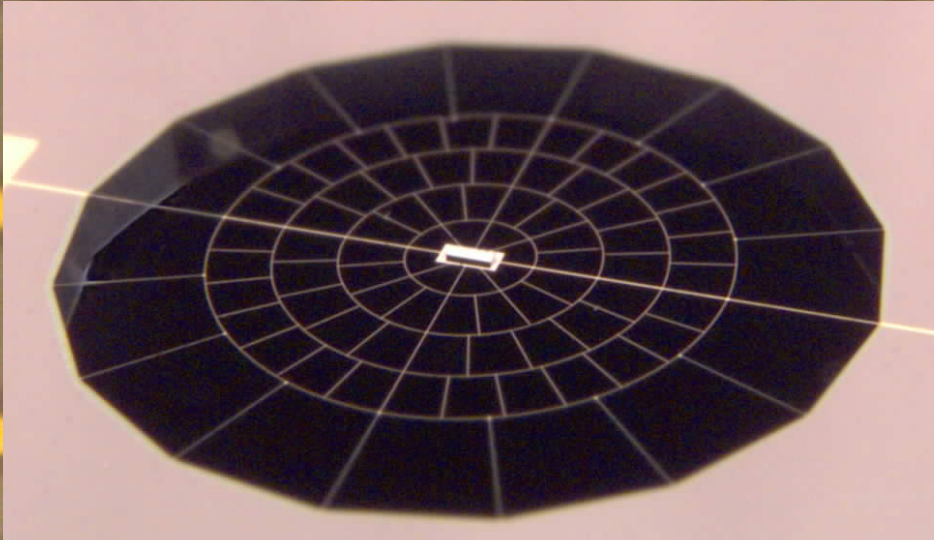
- Absorber:  $\text{Si}_3\text{N}_4$ 
  - $e \sim 1\mu\text{m}$ ,  $l \sim 5\mu\text{m}$ , cell  $\sim 100\mu\text{m}$
  - Metallization Au
- Ge NTD thermometer
- Polarisation Sensitive Bolometer (PSB)
  - 2 bolometers in 1 module
  - Metallization in one direction

**Detectors of**

- **Boomerang**
- **QUAD**
- **BICEP1**
- **Planck-HFI**



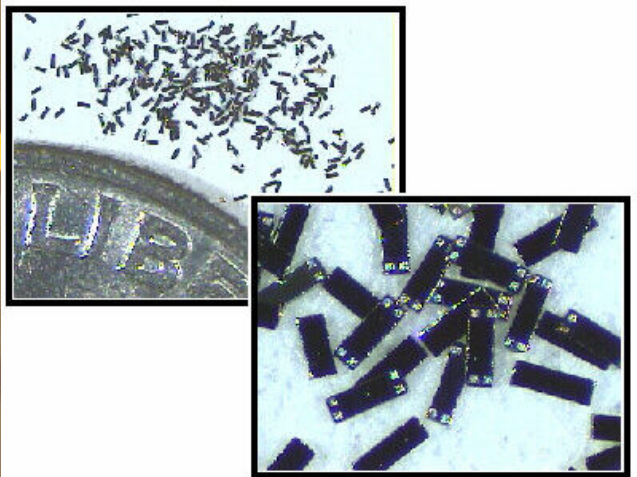
# NTD Bolometers for Planck & Herschel



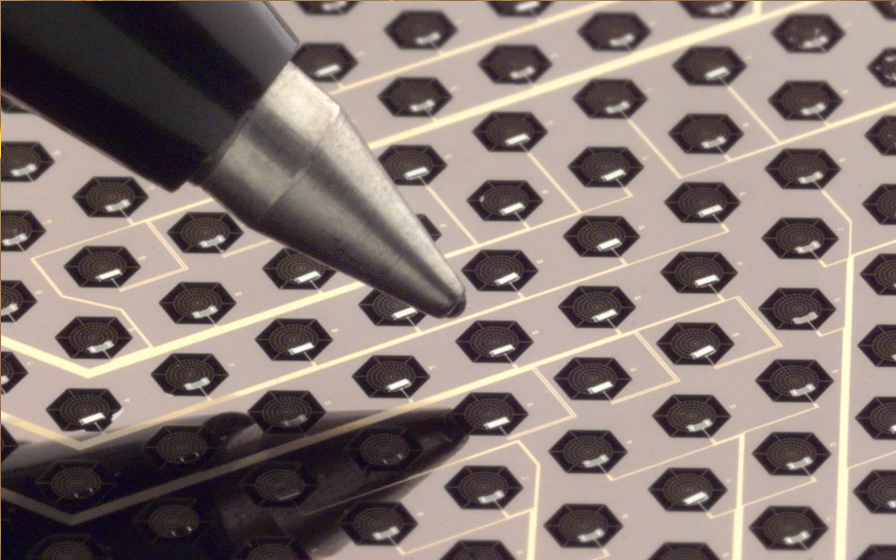
**143 GHz Spider-web Bolometer**



**Planck/HFI focal plane (52 bolometers)**



**NTD Germanium**

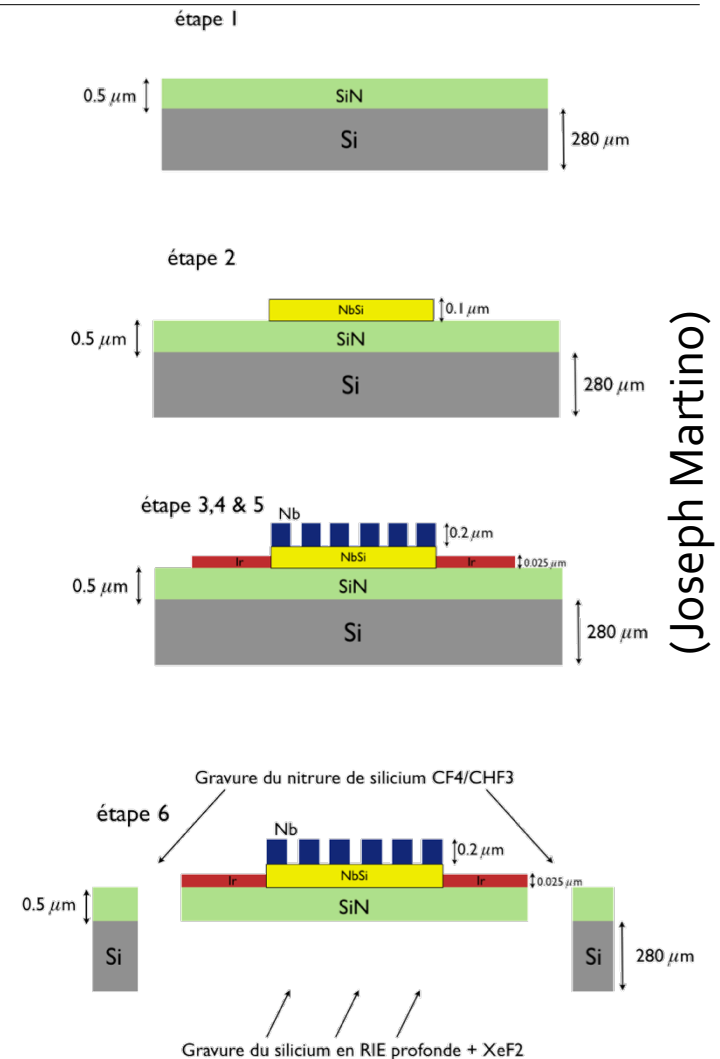


**Herschel/SPIRE Bolometer Array**

# Bolometer production

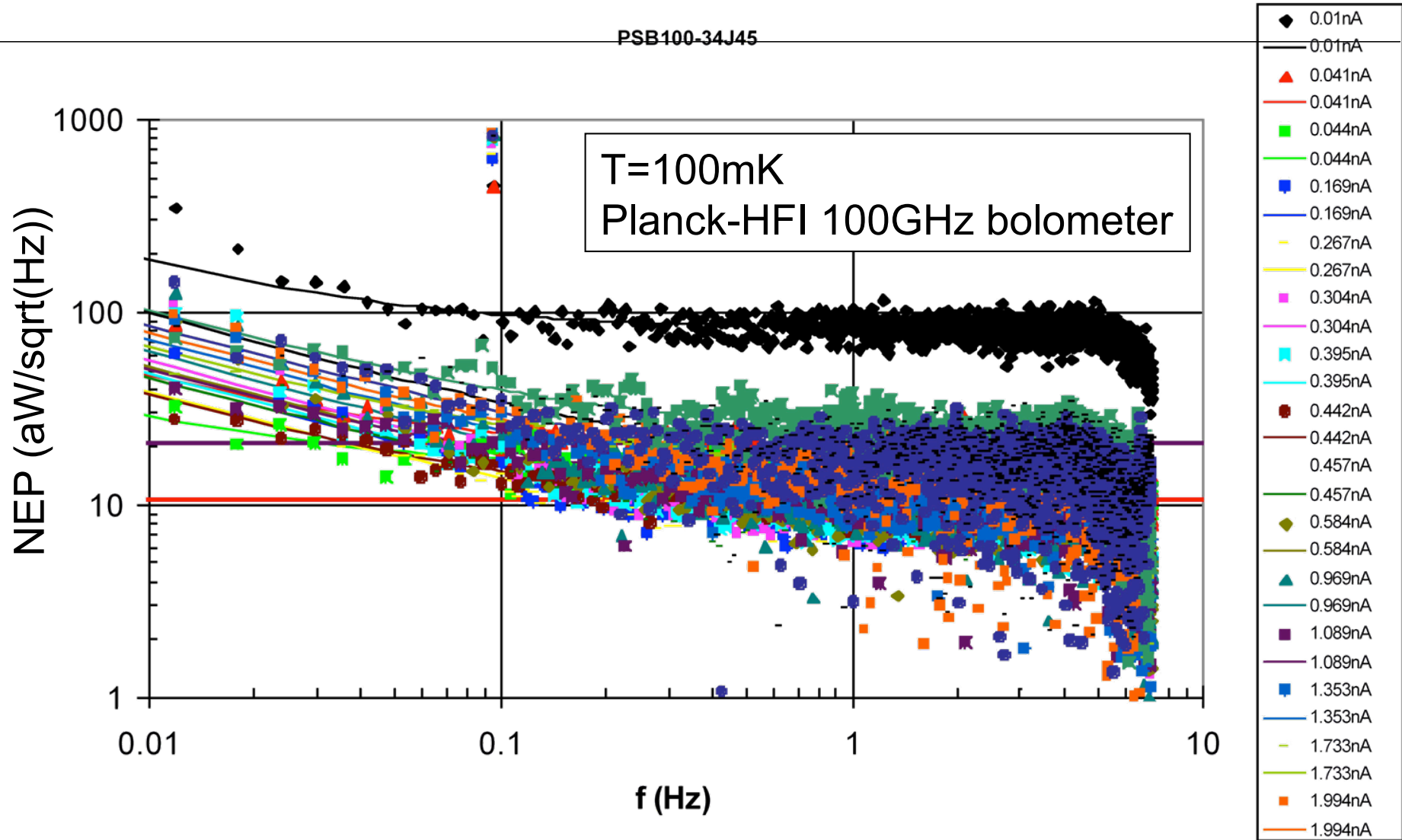
- Based on microtechnologies
- Absorber: photolithography
- Metallisation
- Thermal sensor:
  - Planck bolo: NTD Ge by hand
  - Deposited during the process

**Micro fabrication facility  
required**



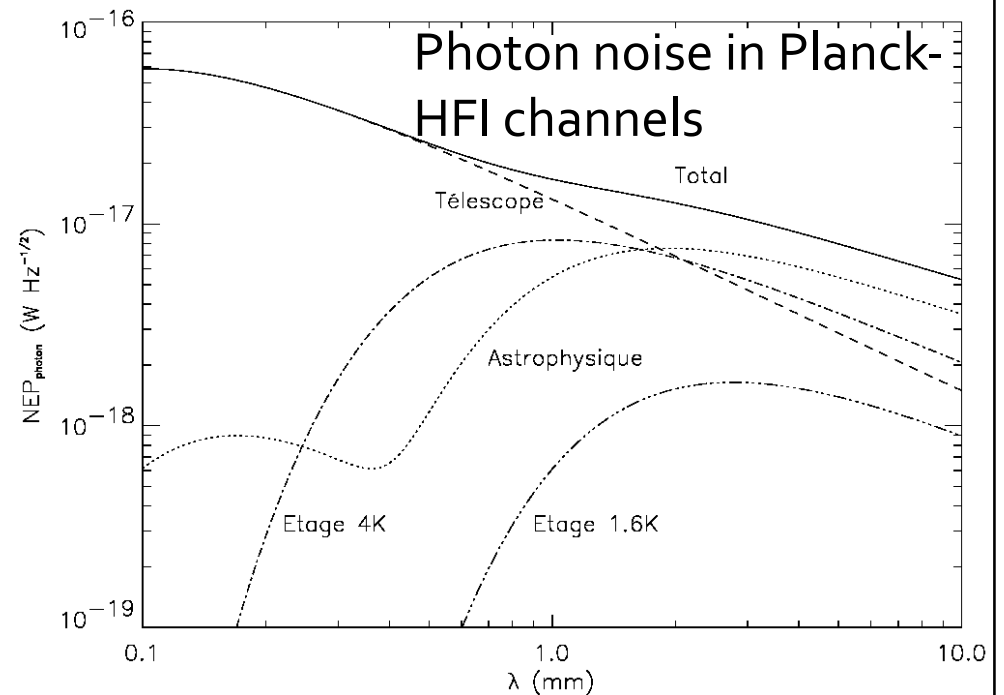
# Planck bolometers NEP

PSB100-34J45



# Spider web bolometer performances

- at 300mK
  - $NEP = 1,5 \cdot 10^{-17} \text{ W/Hz}^{1/2}$
  - $\tau = 11\text{ms}$
  - $C = 1\text{pJ/K}$
- at 100mK:
  - $NEP = 1,5 \cdot 10^{-18} \text{ W/Hz}^{1/2}$
  - $\tau = 1,5\text{ms}$
  - $C = 0,4\text{pJ/K}$



**CMB photon noise limited detectors!**

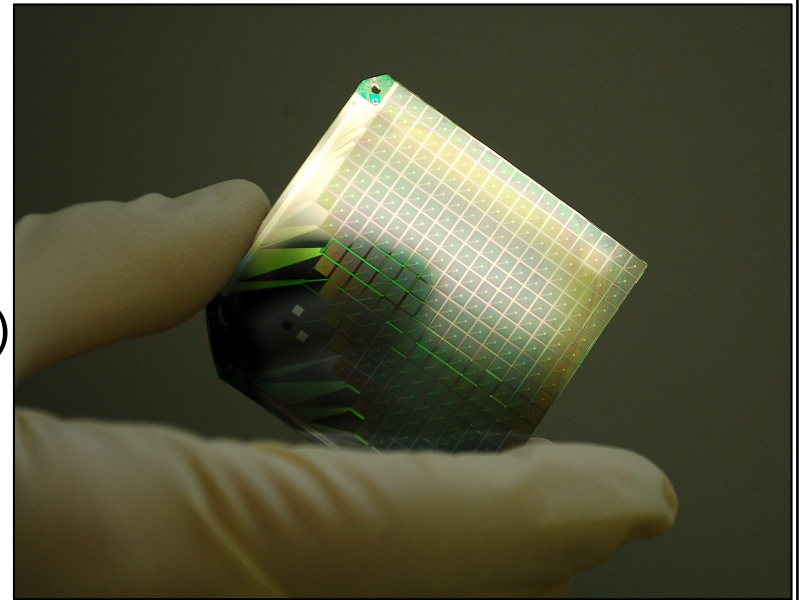
**Sensitivity improvement  $\Rightarrow$  increase of detector number**

**Bolometer arrays**

# Development of bolometer arrays

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- Motivations:
  - Increase of the mapping speed
  - Increase of the sensitivity
- Requirements:
  - Sensitivity (limited by photon noise)
  - Time constant
  - Array size (from  $10^2$  to  $10^4$  pixels)
  - Filling factor
  - Optical coupling
  - Sensitivity to polarisation
- Constraints
  - Cryogenics: limited cooling power, **multiplexing required**
  - Readout electronics: close to the detectors

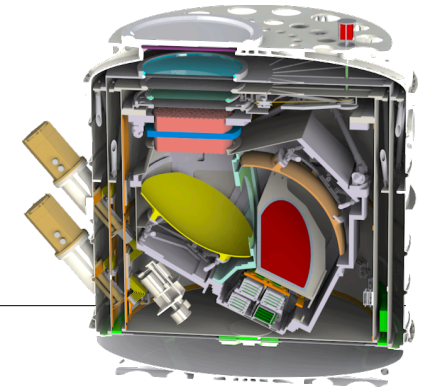


# Multiplexing?

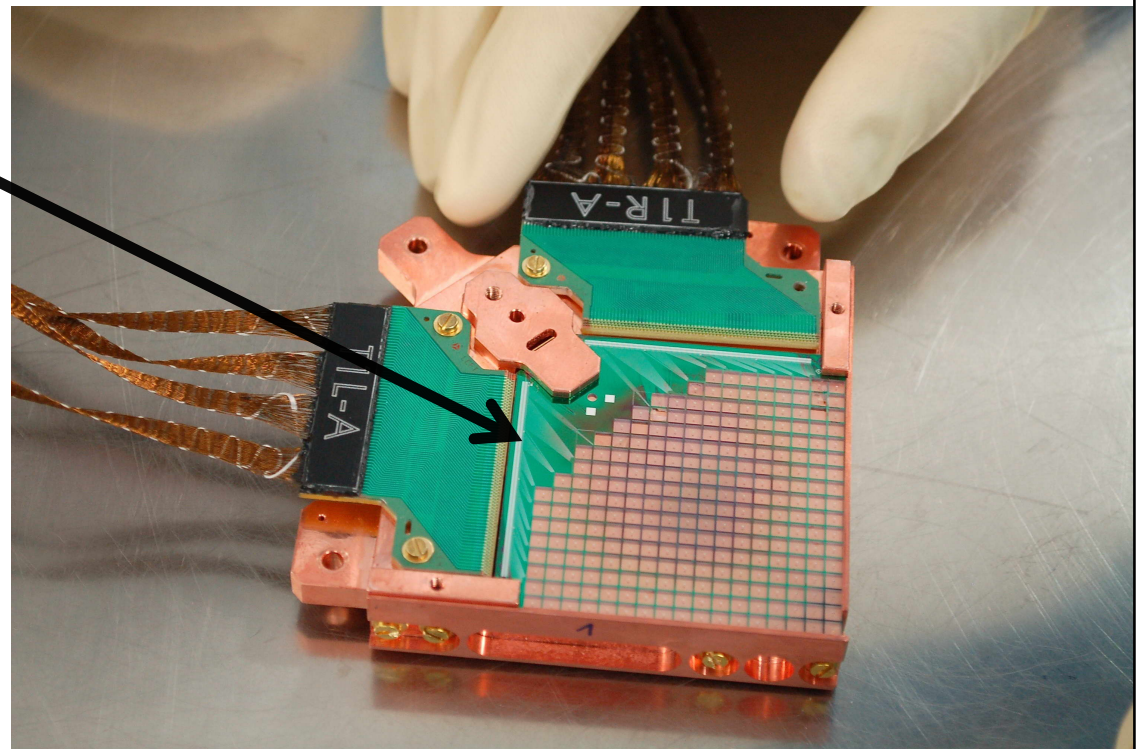
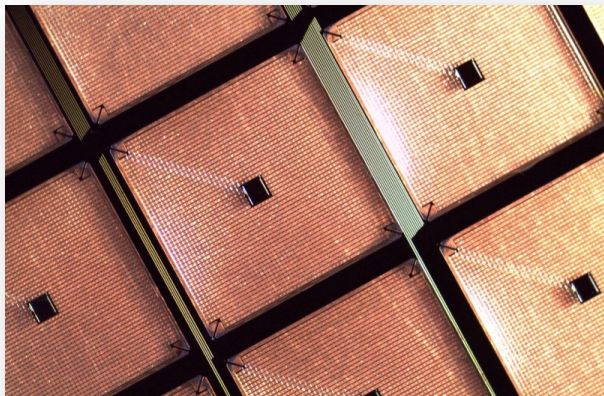
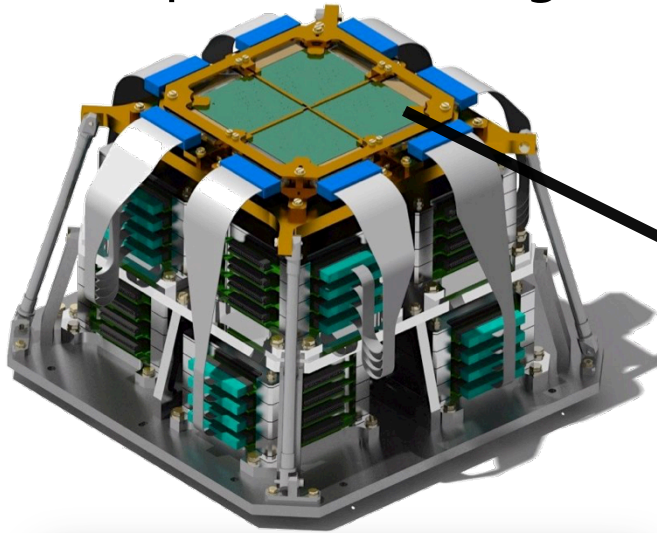
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- Readout of N detectors with a single amplifier
- Time Domain Multiplexing (TDM)
  - Successive readout of each detector
  - **Required an amplifier noise level lower by a factor  $\sim N^{0.5}$**
- Frequency Domain Multiplexing (FDM)
  - Readout of all detector at all time
  - Each detector is modulated at a given frequency
  - Multiple lock-in detection to recover the signal
  - **Require an amplifier dynamic higher by a factor  $\sim N^{0.5}$**

# Example: 248 TES QUBIC (France)

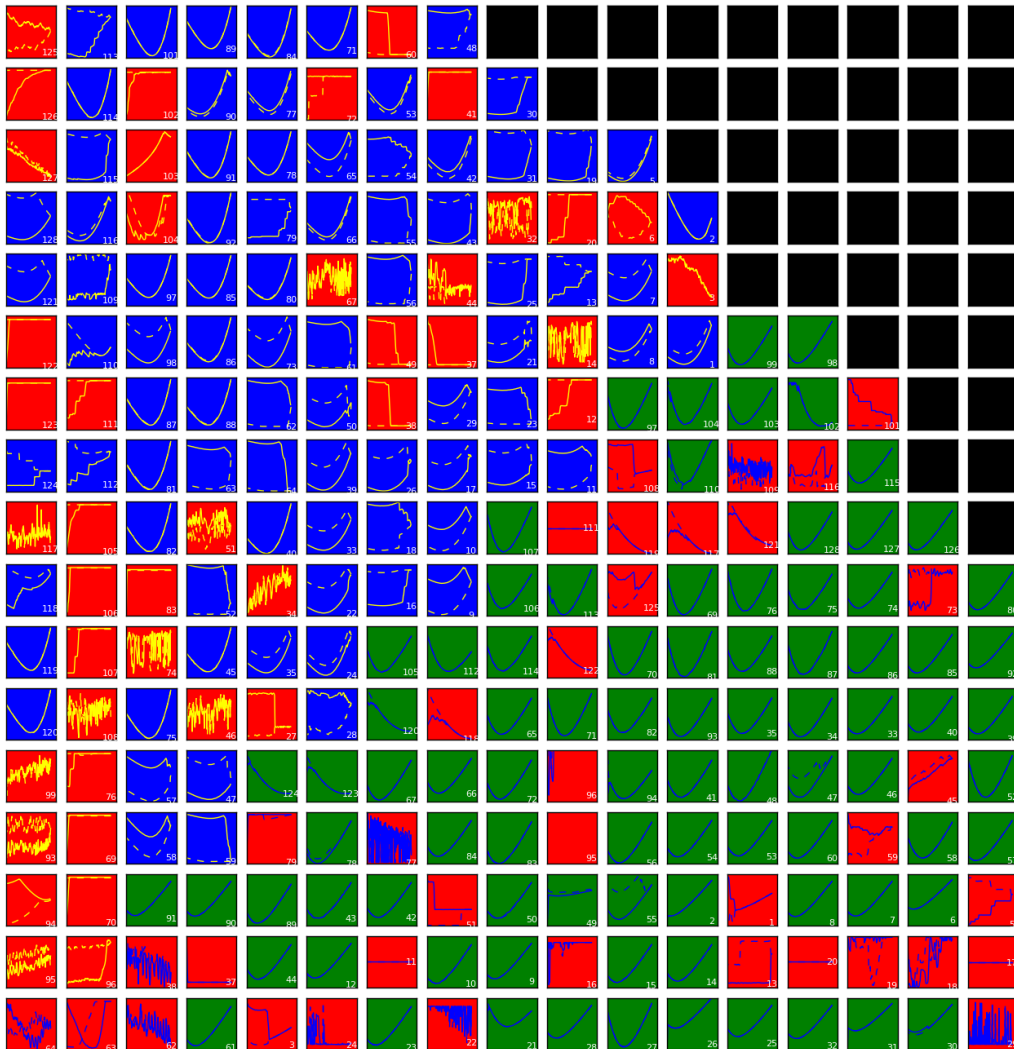


- Superconducting NbSi (CSNSM, C<sub>2</sub>N, APC)



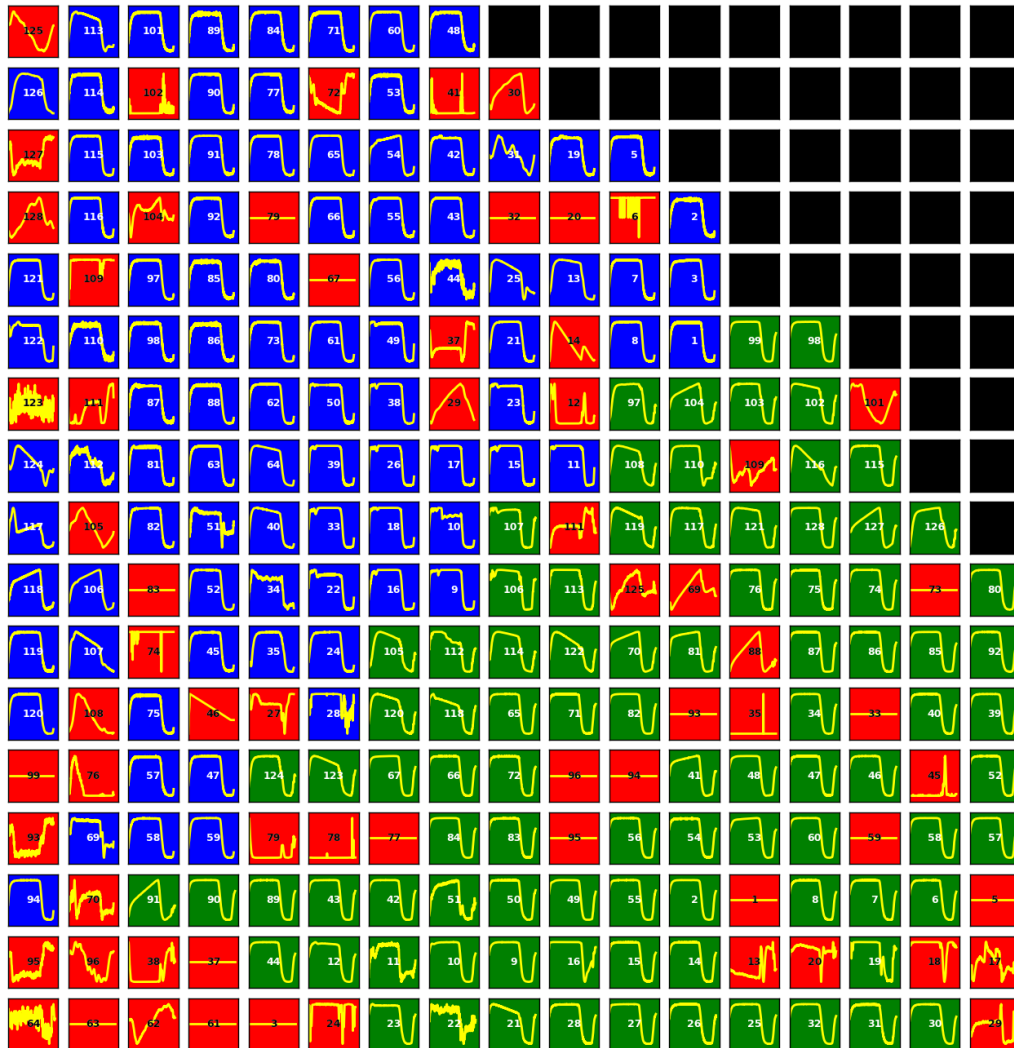


# QUBIC TESs: I-V measurements



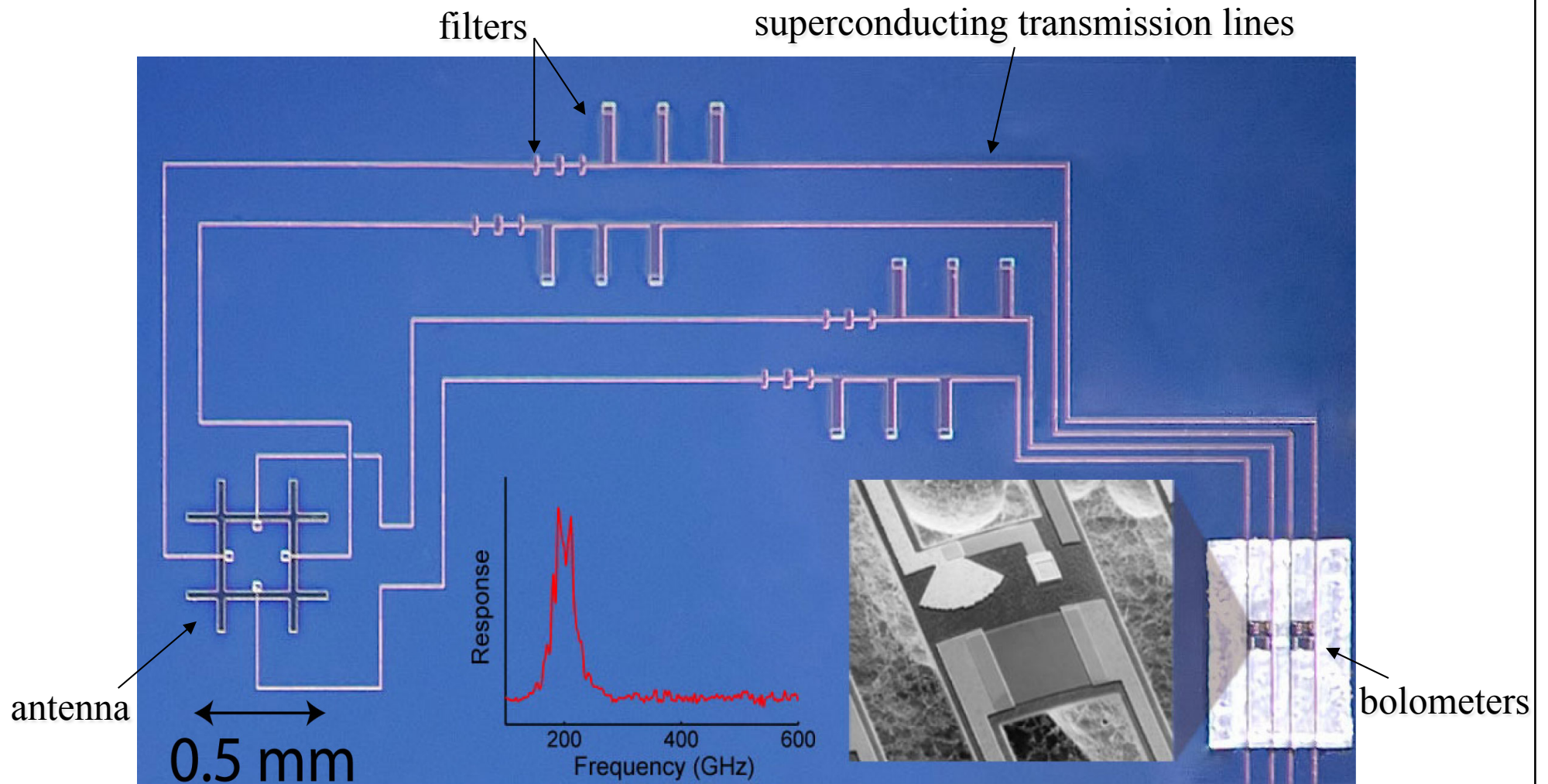
- I-V at 300mK
  - ASIC 1
  - ASIC 2
- TDM MUX factor = 128
- Yield: ~70% (array ref P73)
  - ~20% fabrication
  - ~10% readout

# QUBIC TESs: optical signal



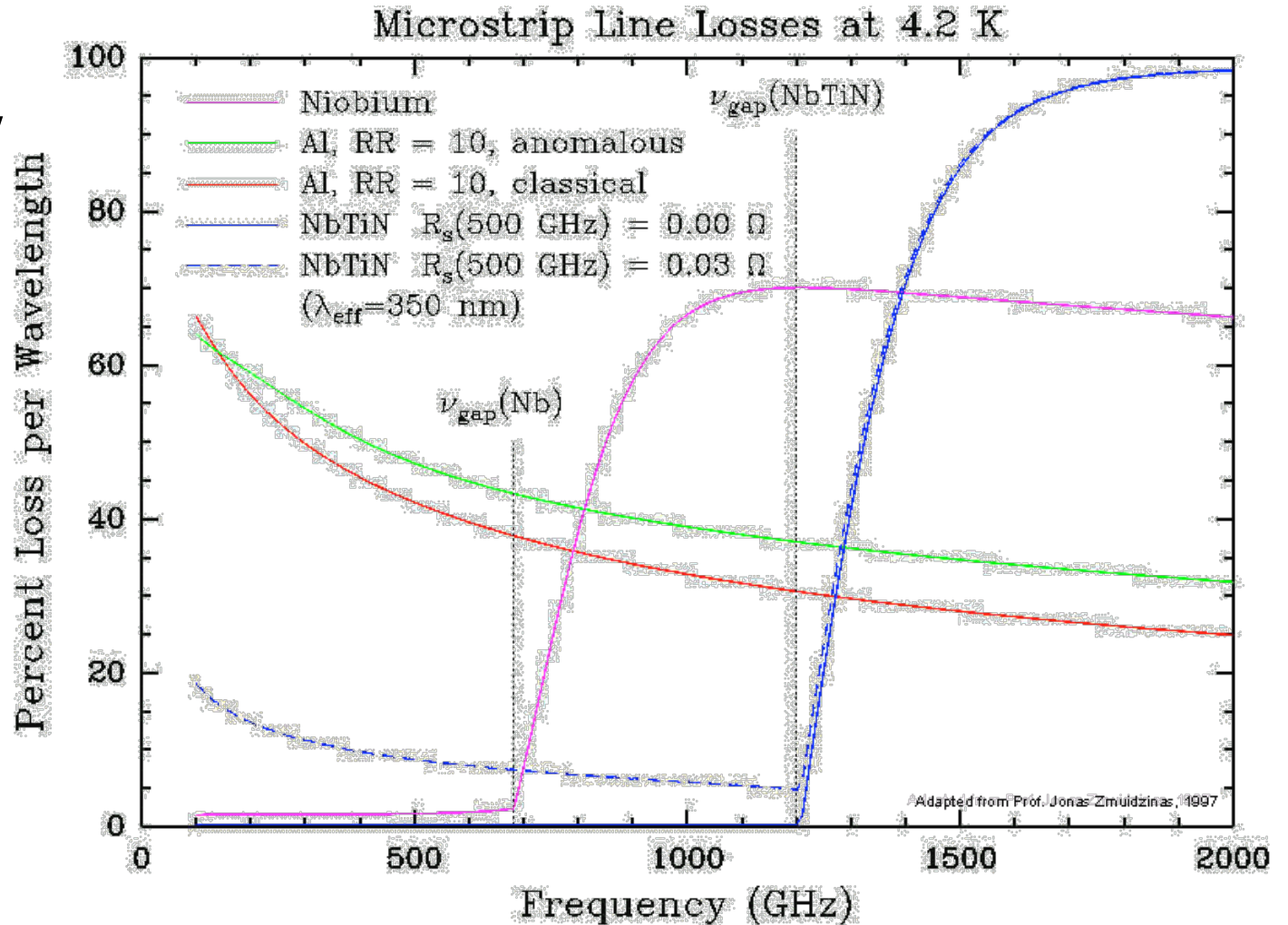
- Thermal source:
  - C fiber on 1K stage (LAL)
  - Heated by Joule effect
- Pulses on detectors
  - ASIC 1
  - ASIC 2
- Other measurements: radioactive sources

# Antenna coupled bolometers (Polarbear, UCB/LBNL)

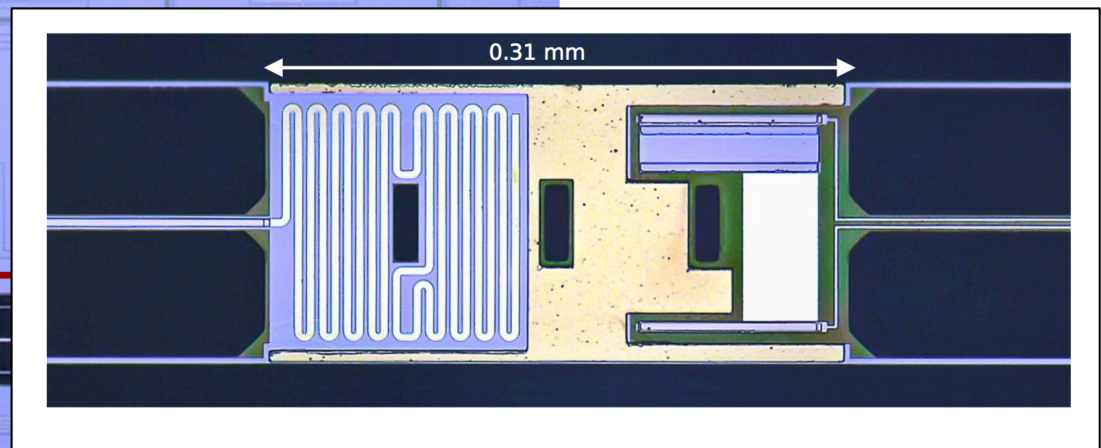
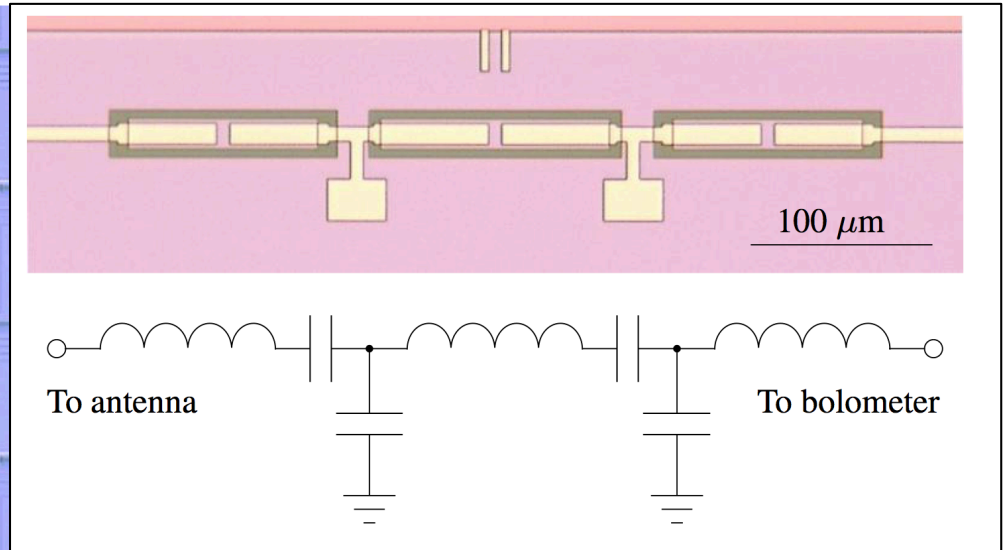
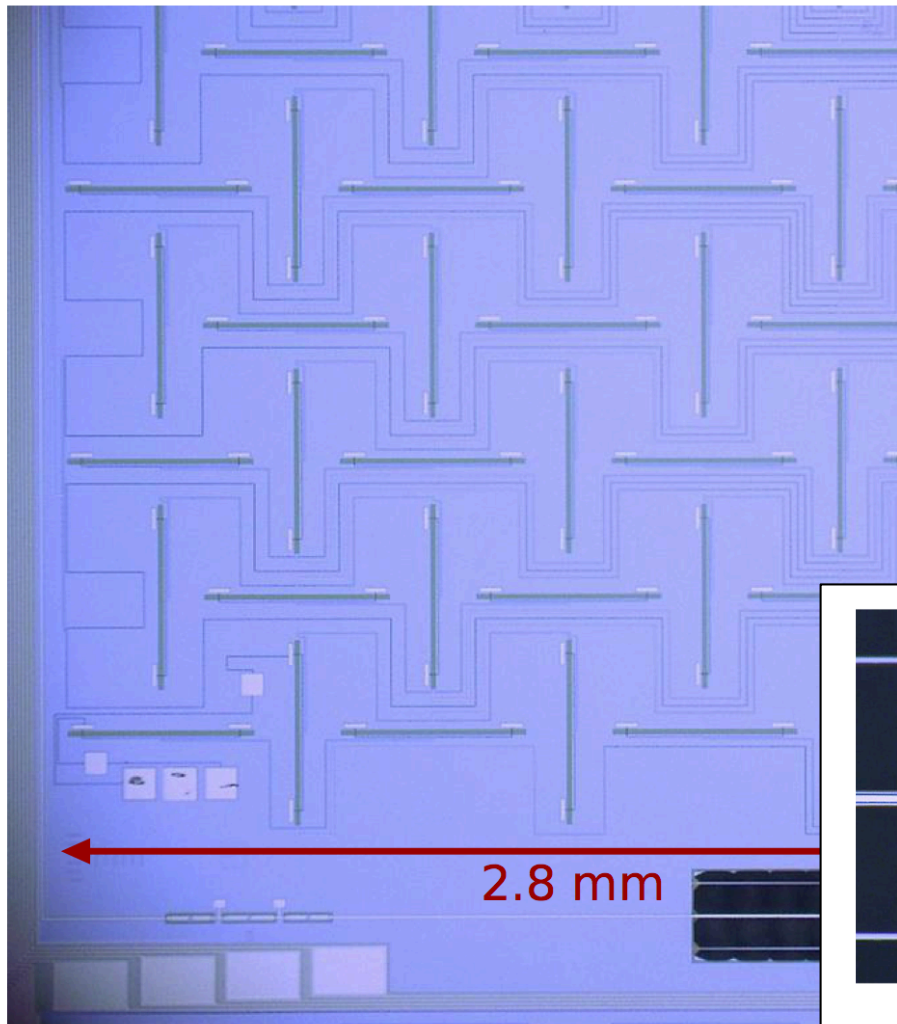


# Superconducting microstrip line

- Supercond. Niobium: low losses up to 700GHz
- Nb:  $T_c=9.2\text{K}$

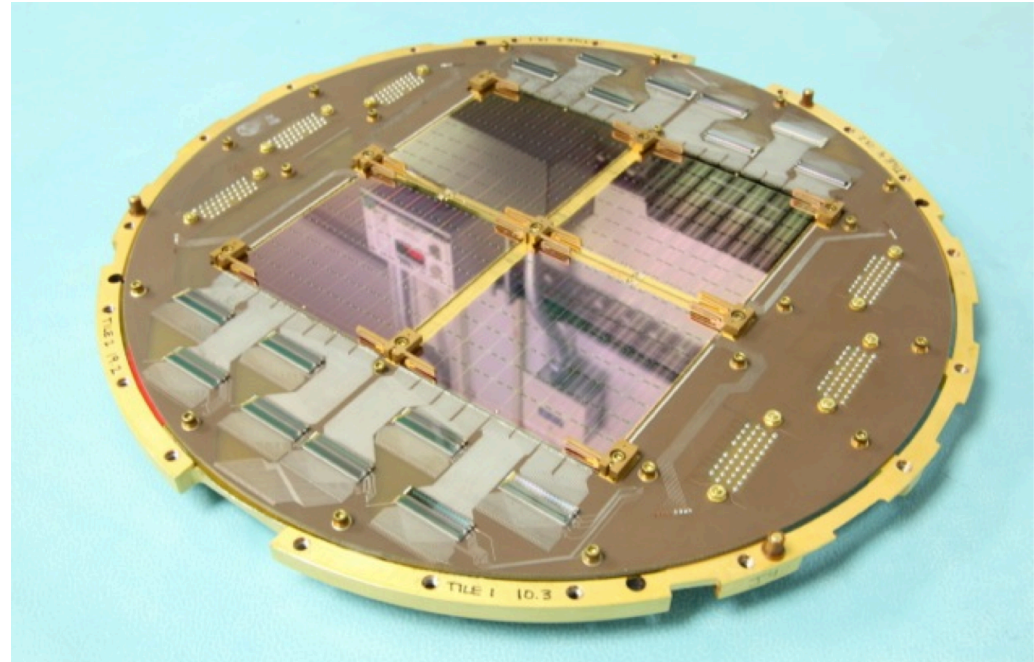


# BICEP2 detectors



# BICEP2 detectors

- 1 pixel:
  - 2 orthogonal 12x12 slot antenna phased array
  - Bandpass filter on stripline
  - 2 small TESs (Ti and Al)
- 8x8 pixels per tiles, 4 tiles
- Total of 256 pixels and 512 TESs
  - Time Domain Multiplexing
  - MUX factor = 33



# Bolometers: conclusions

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- TESs: Strong Electro-Thermal Feedback
  - Increase speed response
  - Response linearization
- Advantages:
  - Sensitivity
  - High Technology Readiness Level (mainly in USA)
- Difficulties:
  - Fabrication complexity
  - Multiplexed readout

