

# Investigation of dynamic quantum dot initialization by electron counting

Lukas Fricke



- Introduction to dynamic quantum dots  $\rightarrow$  electron pumping
- Characterization of a dynamic dot by charge detection
- Series operation of 3 pumps with charge detectors







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- present definition: force between wires
- not used for realisation











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## new Ampere (A):

- 1 A = 6.24150X-10<sup>18</sup> e / 1s
  - fix elementary charge e
  - quantised electron pumping



## Non-adiabatic quantum dot





- GaAs/AlGaAs 2D electron gas channel
- Top gates define quantum dot
- Modulation of entrance barrier
- Capture electrons from source
- Lift electrons over exit barrier
- Directed pumping without bias
- Quantized current:  $I = e \cdot f$
- Advantages:
- GHz frequencies
  → high currents
- Prospect for high precision
- Simple device & operation
  - $\rightarrow$  Parallelization

Phys. Rev. B 77, 153301 (2008)

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B. Kaestner et al., Phys. Rev. B 77, 153301 (2008)V. Kashcheyevs and B. Kaestner, Phys. Rev. Lett. 104, 186805 (2010)





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## Capture probability





#### **Pump probabilities**







## Capture probabilities







## Calculated current





## Model calculation





Time-dependent potential on left gate affects

- Barrier between source and dot (Tunneling rate  $\Gamma_n$ )
- Chemical potential of the dot  $\mu_n$

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- Population of the dot follows adiabatically the lead's thermal distribution
- Then sudden decoupling freezes the states of the dot

- At low temperatures,  $f(\mu_n)$  may go to zero much faster than  $\Gamma_n$
- Gradual decoupling limit



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$$P_{n} = \left(1 - f\left[\mu_{n+1}(t_{n+1}^{c})\right]\right) \prod_{m=1}^{n} f\left[\mu_{m}(t_{m}^{c})\right] \qquad P_{n} = e^{-X_{n}} \prod_{j=n+1}^{N} \left(1 - e^{-X_{j}}\right)$$
$$f(\mu_{n}) \equiv \frac{1}{1 + e^{(\mu_{n} - \mu)/k_{\mathrm{B}}T}} \qquad X_{n} \equiv \int_{t_{b}}^{\infty} \Gamma_{n}(t')dt'$$

Ansatz: 
$$\begin{aligned} \mu_m(t_m^c)/k_{\rm B}T &= -\alpha_{\mu,n}V_{\rm GD} + \Delta_{\mu,n} \\ \ln X_n &= -\alpha_{X,n}V_{\rm GD} + \Delta_{X,n} \end{aligned}$$



## Capture probabilities







## Model fits





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## Model fits





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## Optimization strategies



Thermal model	Decay cascade model
Pump fidelity may profit from further lowering of	Lowering the temperature will not increase fidelity
temperature Reduced coupling between barrier and plunger necessary	Instead increase the separation of decay steps by
	• Large ratio of tunneling rates
May be achieved by applying compensation pulses onto the 2 <sup>nd</sup> gate	Large energy separation
	for different n



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## No errors: Constant node signals



If all pumps work without errors, the charge on all nodes is constant





# Consecutive error by second pump

Red detector switches back to initial state, blue detector changes by one node's electron







## Simultaneous series pumping











































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Pump error by P4: Only blue SET affected

















PIB





#### The charge transfer error is reduced by ~2 orders of magnitude by error accounting

## New design





## Summary



#### Counting measurements on the non-adiabatic electron pump

• Microscopic insights into the dynamics of electron capture



- First demonstration of a self-referenced current source
  - Road towards error reduction by accounting for (rare) errors







Philipp Mirovsky Bernd Kästner Frank Hohls Klaus Pierz Hans W. Schumacher Ralf Dolata Brigitte Mackrodt Peter Duda

Thomas Weimann Peter Hinze

Vyacheslavs Kashcheyevs Janis Timoshenko Pavel Nazarov

## Michael Wulf (\*1978 - \*2012)



# Theoretical treatment of error accounting:

Error accounting algorithm for electron counting experiments *Phys. Rev. B* 87, 035312 (2013)

# Experiments on counting statistics :

Counting statistics for electron capture in a dynamic quantum dot

Phys. Rev. Lett. 110, 126803 (2013)

# Experiments on serial pumps with error detection:

Series Operation of Single-Electron Sources with Charge Detection

CPEM (2012)



# Thank you for your attention **PB**

